



Name: Memorandum

Gr 10

Date:

Time:

$1\frac{1}{2}$ HR

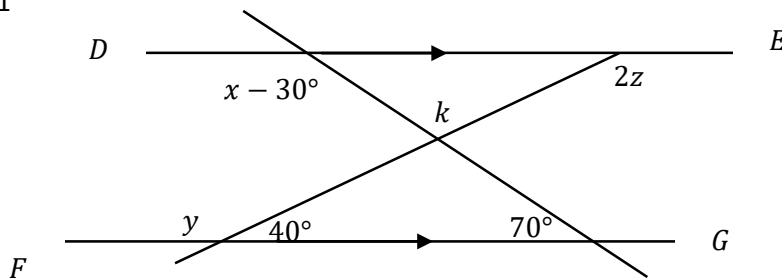
CAPS Reference

Euclidean Geometry

Topic

Background

2.1



Statement

Reason

$$x - 30^\circ + 70^\circ = 180^\circ$$

$$x = 180^\circ - 40^\circ$$

$$x = 140^\circ$$

Co-interior \angle DE//FG

$$y = 140^\circ$$

\angle 's on a straight line

$$2z = y$$

$$2z = 140^\circ$$

$$z = 70^\circ$$

Alternating \angle s (DE//FG)

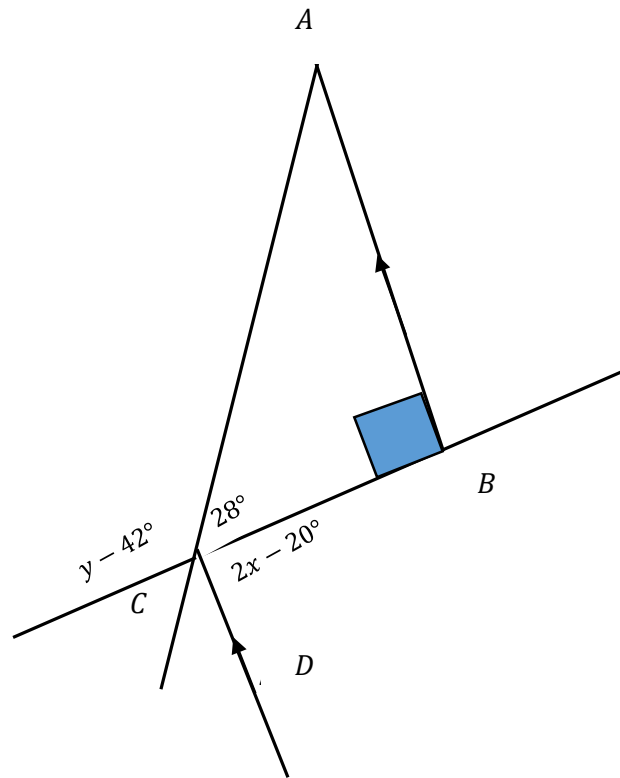
$$k = (180^\circ - 40^\circ - 70^\circ)$$

$$k = 70^\circ$$

Vertical opposite \angle s and interior \angle 's of Δ



2.2



Statement



$$y - 42^\circ + 28^\circ = 180^\circ$$

$$y = 180^\circ + 14^\circ$$

$$y = 194^\circ$$

$$\hat{A} = 62^\circ$$

$$2x - 20^\circ = 90^\circ$$

$$2x = 90^\circ + 20^\circ$$

$$2x = 110^\circ$$

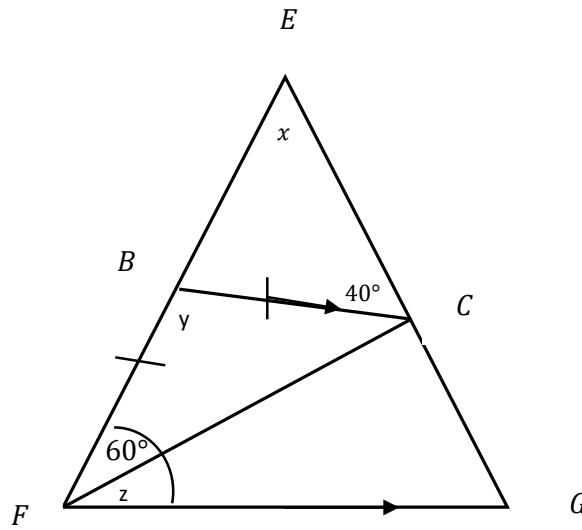
$$x = 55^\circ$$

\angle 's on a Straight line

Interior \angle s of triangle

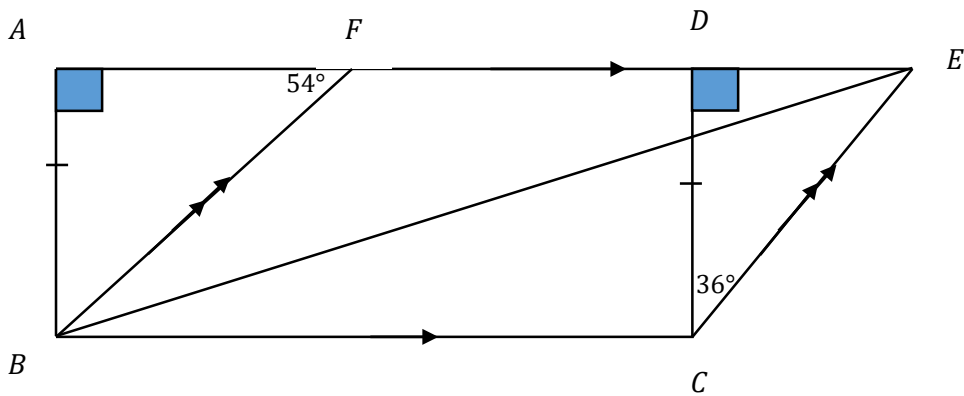
Alternating \angle 's (AB//CD)

2.3



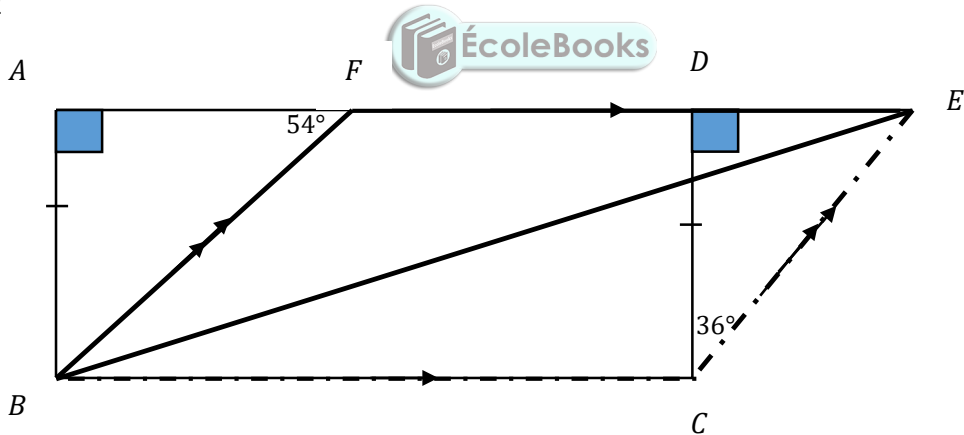
Statement	Reason
$\hat{G} = 40^\circ$	Corresponding \angle s (FG//BC)
$x = 80^\circ$	Interior \angle s of $\triangle EFG$
$\therefore \hat{EBC} = 60^\circ$	Corresponding \angle s (FG//BC)
$y = 120^\circ$	\angle s on a straight line
$\therefore \hat{BCF} = 30^\circ$	Isosceles $\triangle FBC$
$\hat{BCF} = z = 30^\circ$	Alternating \angle 's (FG//BC)

1.1.1



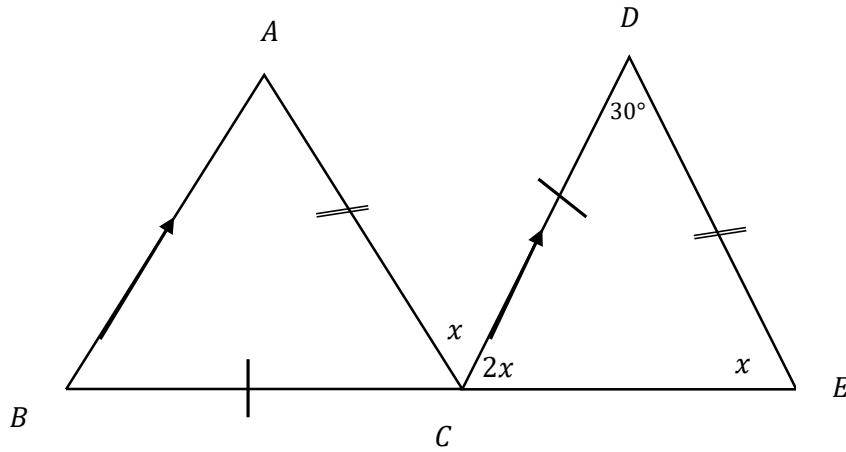
Statement	Reason
In $\triangle ABF$ and $\triangle DCE$	
1) $\hat{A} = \hat{D} = 90^\circ$	Given
2) $AB = DC$	Given
3) $\hat{E} = 180^\circ - 90^\circ - 36^\circ = 54^\circ$	Interior \angle s of $\triangle DCE$
$\therefore \hat{F} = \hat{E} = 54^\circ$	Given
$\therefore \triangle ABF \equiv \triangle DCE$	A, A, S

1.1.2



Statement	Reason
In $\triangle FBE$ and $\triangle ECB$	
1) $\hat{FBE} = \hat{BEC}$	Alternating \angle s (BF//CE)
2) $BE = BE$	Common side
3) $\hat{FEB} = \hat{ECB}$	Alternating \angle s (BC//FE)
$\therefore \triangle FBE \equiv \triangle ECB$	A, A, S

4.2



Statement	Reason
4.2.1 $2x + x + 30^\circ = 180^\circ$ $3x = 180^\circ - 30^\circ$ $x = 150^\circ \div 3$ $x = 50^\circ$	Interior \angle s of $\triangle CDE$
4.2.2 In $\triangle ABC$ and $\triangle ECD$ 1) $BC = CD$ 2) $AC = DE$ 3) $\hat{D}EC = \hat{D}CA = 50^\circ$ $\hat{B}AC = \hat{D}CA = 50^\circ$ $\therefore \hat{D}EC = \hat{B}AC = 50^\circ$ $\therefore \triangle ABC \equiv \triangle ECD$	Given Given Alternating \angle s $BA \parallel DE$ S, S, A

