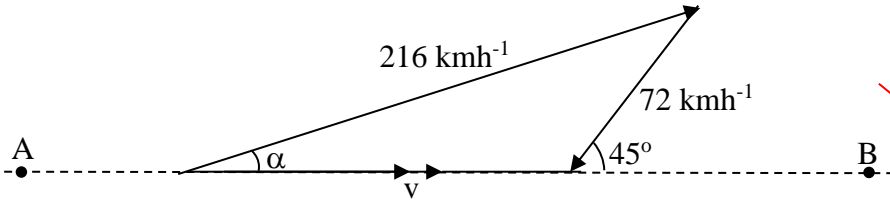
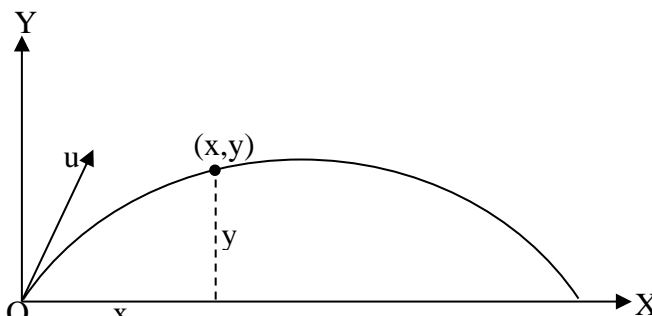
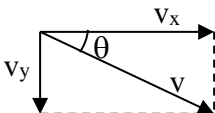
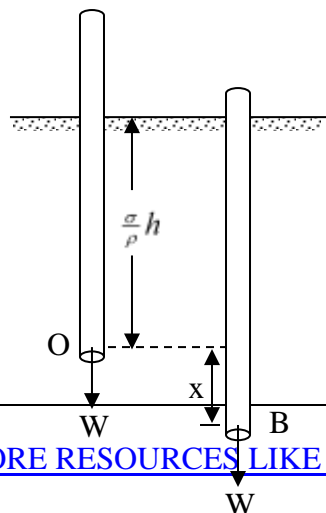


Qn	Answer	Marks
1. (a)	Relative velocity is the velocity of a body as perceived by a moving observer ✓ while resultant velocity is the single velocity having the same effect on a body ✓ as a number of velocities experienced by the body ✓	1 1
(b)	(i)  <p>The pilot should set the plane at an angle <math>\alpha</math> N of E so that the resultant velocity, <math>v</math>, is along AB</p>	1
	Now, $\frac{\sin \alpha}{72} = \frac{\sin 135^\circ}{216}$ ✓ $\therefore \sin \alpha = \frac{72 \sin 135^\circ}{216} = 0.2357$ ✓ $\therefore \alpha = 13.6^\circ$ ✓	1 1
	(ii) $v = 216 \cos \alpha - 72 \cos 45^\circ$ ✓ $= 216 \cos 13.6^\circ - 72 \cos 45^\circ = 159 \text{ km h}^{-1}$ ✓ Now $\text{time} = \frac{AB}{v} = \frac{300}{159}$ ✓ $= 1.887 \text{ hrs} = 1\text{hr } 53\text{min}$ ✓	1 1 1 1
	(c)	(i) ...the time taken from the instant of projection to landing. ✓
(b)	(ii) 	
	Let OX be a horizontal axis through O, and OY a vertical axis. The position of the particle at any instant may be described by coordinates $(x,y)$ with reference to these axes. $x = (u \cos \alpha)t$ ✓ $\therefore t = \frac{x}{u \cos \alpha}$ But $y = (u \sin \alpha)t - \frac{1}{2}gt^2$ ✓	1 1

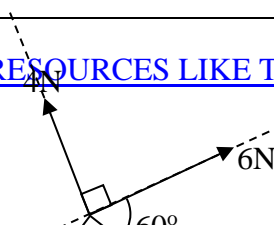
	$\therefore y = x \tan \alpha - \frac{g}{2u^2 \cos^2 \alpha} x^2$ <p>This is an equation of a parabola.</p>	1
(d)	<p>(i) Using <math>y = x \tan \alpha - \frac{g x^2}{2u^2 \cos^2 \alpha}</math> we have</p> $u^2 = \frac{g x^2}{2(x \tan \alpha - y) \cos^2 \alpha}$ $= \frac{9.81 \times 100^2}{2(100 \tan 30^\circ - 25) \cos^2 30^\circ} = \frac{9.81 \times 10^4}{2 \times 32.7 \times 0.75} = 2.0 \times 10^3$ <p><math>\therefore u = 44.7 \text{ m s}^{-1}</math></p>	1 1 1
	<p>(ii) The horizontal velocity, <math>v_x = u \cos 30^\circ = 44.7 \cos 30^\circ = 38.7 \text{ ms}^{-1}</math></p> <p>Time taken, <math>t = \frac{x}{v_x} = \frac{100}{38.7} = 2.58 \text{ s}</math></p> <p>The vertical velocity, <math>v_y = u \sin 30^\circ - gt</math></p> $= 44.7 \sin 30^\circ - 9.81 \times 2.58$ $= 3.0 \text{ ms}^{-1}$ <div style="display: flex; align-items: center;">  <div style="margin-left: 20px;"> <math display="block">\theta = \tan^{-1} \left( \frac{v_y}{v_x} \right) = \tan^{-1} \left( \frac{3.0}{38.7} \right)</math> <math display="block">= 4.4^\circ</math> </div> </div> <p>i.e. <math>4.4^\circ</math> to the horizontal</p>	1 1/2 1 1/2 1
<b>Total = 20</b>		
2. (a)	<p>(i) ...the coefficient of viscosity is the tangential force acting on an area of <math>1 \text{ m}^2</math> of fluid which resists the motion of one layer over another when the velocity gradient between them is <math>1 \text{ s}^{-1}</math>.</p>	1
	<p>(ii)</p> <ul style="list-style-type: none"> <li>- Viscosity in gases is due to momentum transfer between the neighbouring layers of gases.</li> <li>- It is proportional to the average speed of the gas molecules.</li> <li>- So, increase in gas temperature increases viscosity</li> </ul>	1 1/2 1/2
(b)	<p>(i) The flow should be laminar</p>	1
	<p>(ii)</p> <p>The volume of liquid issuing per second from the pipe depends on:</p> <ul style="list-style-type: none"> <li>- the coefficient of viscosity, <math>\eta</math></li> <li>- the radius of the pipe, <math>r</math></li> <li>- the pressure gradient set up along the pipe, <math>s</math></li> </ul> <p>i.e. volume per second <math>= k\eta^x r^y s^z</math></p> <p>where <math>k</math> is a constant and <math>x, y</math> and <math>z</math> are indices to be found.</p> <p>Using dimensions: <math>L^3 T^{-1} = (ML^{-1} T^{-1})^x L^y (ML^{-2} T^{-2})^z</math></p> <p><math>\therefore 0 = x + z</math></p>	1 1

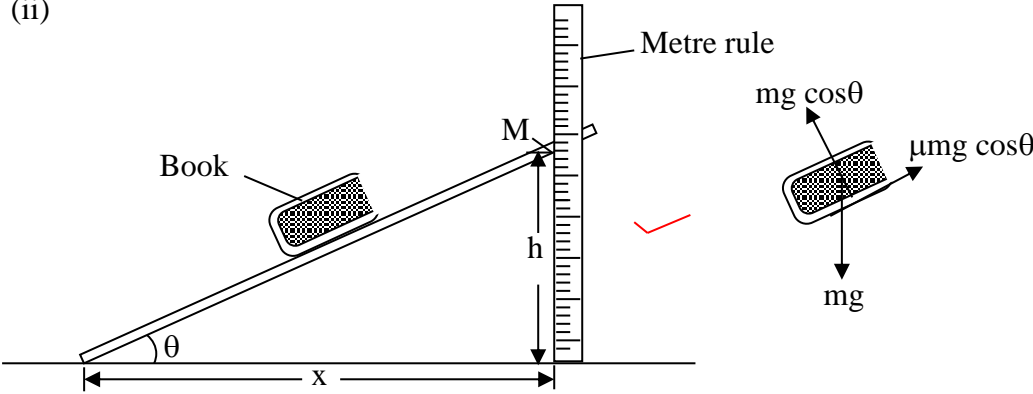
	$3 = -x + y - 2z$ $1 = x + 2z$ <p>from which <math>x = -1, z = 1, y = 4</math> ✓</p> <p>Hence, volume per second = <math>\frac{kr^4s}{\eta} = \frac{k\Delta pr^4}{l\eta}</math> ✓</p> <p>The constant <math>k = \frac{\pi}{8}</math></p> <p>Hence, volume per second = <math>\frac{\pi\Delta pr^4}{8l\eta}</math></p>	<p>1</p> <p>1</p>
<p>(c)</p>	<ul style="list-style-type: none"> <li>- A transparent tank, fitted with a horizontal transparent tube is filled with water from a tap. Tap A controls the rate of flow through the horizontal tube while tap B opens for the coloured liquid. ✓</li> <li>- Tap A is opened, first slightly and then B is opened to release some coloured liquid. ✓</li> <li>- Tap A is progressively opened further. ✓</li> </ul> <p><i>Observation:</i></p> <p>At first a thin coloured line is seen in the horizontal tube. ✓</p> <p>This is streamline flow. ✓</p> <p>However, as A is opened further, the coloured line disappears and instead the colour fills the whole tube. ✓</p> <p>The flow has now become turbulent. ✓</p>	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>
<p>(d)</p>	<p>(i)</p>	

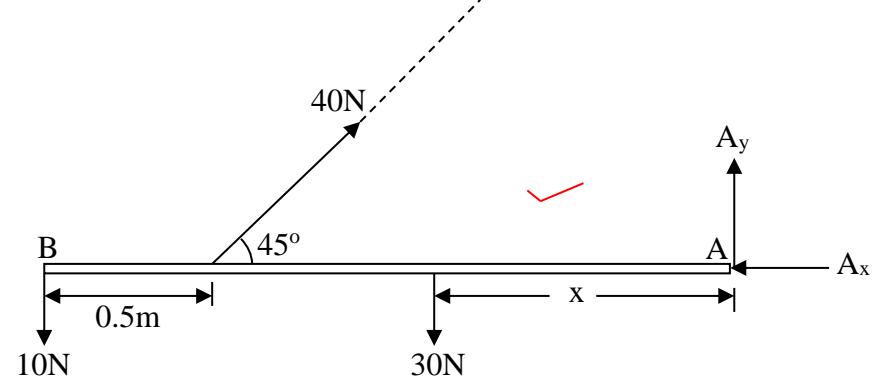
	$(m_A + m_B)g = U_A + U_B + 6\pi\eta r v(1 + \alpha)$ $\therefore \frac{4}{3}\pi r^3 g(1 + \alpha^3)\sigma = \frac{4}{3}\pi r^3 g(1 + \alpha^3)\rho + 6\pi\eta r v(1 + \alpha)$ $v = \frac{2r^2 g(1 + \alpha^3)(\sigma - \rho)}{9\eta(1 + \alpha)}$	1 1 1
	<p>(ii) From above <math>v = \frac{2 \times 4^2 \times 10^{-4} \times 9.81 \times (1 + 2^3)(3000 - 1200)}{9 \times 0.21 \times (1 + 2)} = 89.7 \text{ m s}^{-1}</math></p> <p>Considering the forces acting on B</p> $T = U_B + 6\pi\eta r v - m_B g$ $= \frac{4}{3}\pi r^3 \alpha^3 \rho g - \frac{4}{3}\pi r^3 \alpha^3 \sigma g + 6\pi\eta r v$ $= \frac{4}{3}\pi r^3 \alpha^3 g(\rho - \sigma) + 6\pi\eta r v$ $= \frac{4}{3}\pi \times 4^3 \times 10^{-6} \times 2^3(1200 - 3000) \times 9.81 + 6\pi \times 0.21 \times 2 \times 4 \times 10^{-2} \times 89.7$ $= -37.87 + 14.2$ $= -23.67 \text{ N (unrealistic)}$	1 1 1
<b>Total =20</b>		
3. (a)	(i) When a body is wholly or partially immersed in a fluid it experiences an upthrust which is equal to the weight of the fluid displaced.	1
	(ii) $\frac{mg - 2.06}{mg - 2.45} = 1.8$	1
	$\therefore mg - 2.06 = 1.8mg - (1.8 \times 2.45)$	1
	$\therefore mg(1.8 - 1) = (1.8 \times 2.45) - 2.06$	
	$\therefore m = \frac{4.41 - 2.06}{0.8 \times 9.81} = 0.293 \text{ kg}$	1
(b)	(i) A particle is said to execute simple harmonic motion if it moves such that its acceleration along its path is always directed towards a fixed point in that path, and is proportional to its displacement from the fixed point.	1
	(ii) A damped oscillation is one whose amplitude decreases with time due to dissipation of energy	1
	A forced oscillation is one that receives periodic impulses from an external agent	1
(c)	(i)	



	<p>When freely floating, the height submerged is <math>\frac{\sigma}{\rho} h</math></p> <p>Weight of the cylinder, <math>W =</math> weight of the liquid displaced <math>= hA\sigma g</math> ✓</p> <p>During motion, suppose at a certain instant the lower end is at a distance <math>x</math> below the equilibrium, O.</p> <p>Then, the upthrust, <math>U = (\frac{\sigma}{\rho} h + x)A\rho g</math> ✓</p> <p>Let <math>a =</math> acceleration (positive away from O)</p> <p>Then, using <math>ma = W - U</math>, where <math>m = hA\sigma</math></p> $ma = hA\sigma g - hA\sigma g - xA\rho g$ <p>∴ <math>hA\sigma a = -xA\rho g</math> ✓</p> <p>∴ <math>a = -\frac{\rho g}{\sigma h} x</math> ✓</p> <p>The negative sign means that the acceleration is towards O, and since it is proportional to the displacement <math>x</math> from O, the cylinder executes simple harmonic motion. ✓</p>	<p>1</p> <p>1</p> <p>1</p> <p>1</p> <p>1</p>
	<p>(ii) Now <math>\frac{\rho g}{\sigma h} = \omega^2 = \frac{4\pi^2}{T^2}</math> ✓</p> <p>∴ <math>T = 2\pi\sqrt{\frac{\sigma h}{\rho g}}</math> ✓</p>	<p>1</p> <p>1</p>
(d)	<p>(i) <math>\omega^2 = \frac{k}{m} = \frac{4\pi^2}{T^2}</math> ✓✗</p> <p>∴ <math>T = 2\pi\sqrt{\frac{m}{k}} = 2\pi\sqrt{\frac{0.1}{24.5}}</math> ✓✗</p> <p style="text-align: center;"><b>= 0.408 s</b> ✓</p>	<p>1/2</p> <p>1/2</p> <p>1</p>
	<p>(ii) Since it starts from maximum displacement, the equation of motion is</p> $y = a \cos \omega t$ <p>Now <math>\omega = \sqrt{\frac{k}{m}} = \sqrt{\frac{24.5}{0.1}} = 15.65 \text{ rad s}^{-1}</math> ✓</p> <p>∴ <math>\omega t = 15.65 \times 0.3 \text{ radians} = 15.65 \times 0.3 = \frac{180^\circ}{\pi} \times 15.65 \times 0.3 = 269^\circ</math> ✓✗</p> <p>∴ <math>y = 0.05 \cos 269^\circ</math> ✓✗</p> <p style="text-align: center;"><b>= <math>8.7 \times 10^{-4} \text{ m}</math></b> ✓</p>	<p>1</p> <p>1</p> <p>1/2</p> <p>1/2</p> <p>1</p>
<b>Total = 20</b>		
4. (a)	<p>(i) ...a single force having exactly the same effect as the number forces it represents ✓</p>	



	<p>(ii)</p> <p>Along the 6N force: <math>F_x = 6 + 5 \cos 60^\circ - 15 \cos 40^\circ</math>  <math>= 6 + 2.5 - 11.5 = -3 \text{ N}</math></p> <p>Perpendicular to the 6N force: <math>F_y = 4 - 5 \sin 60^\circ - 15 \sin 40^\circ</math>  <math>= 4 - 4.33 - 9.64 = -9.97 \text{ N}</math></p> <p>Resultant force, <math>F = \sqrt{F_x^2 + F_y^2}</math>  <math>= \sqrt{3^2 + 9.97^2} = 10.4 \text{ N}</math></p> <p>Now, acceleration, <math>a = \frac{F}{m} = \frac{10.4}{2} = 5.2 \text{ m s}^{-2}</math></p> <p>Using <math>s = ut + \frac{1}{2}at^2</math>, we have  <math>s = 0 + \frac{1}{2} \times 5.2 \times 3^2</math>  <math>= \mathbf{23.4 \text{ m}}</math></p>	<p>1</p> <p>1/2</p> <p>1</p> <p>1/2</p> <p>1</p> <p>1</p> <p>1</p>				
<p>(b)</p>	<p>(i)</p> <table border="1" style="width: 100%;"> <thead> <tr> <th style="width: 50%;">Solid friction</th> <th style="width: 50%;">Fluid friction</th> </tr> </thead> <tbody> <tr> <td> <ul style="list-style-type: none"> <li>- Independent of area of contact</li> <li>- Independent of relative velocity of the layers in contact</li> <li>- Independent of temperature</li> </ul> </td> <td> <ul style="list-style-type: none"> <li>- Depends on area of layers considered</li> <li>- Depends on the relative velocity of the layers involved</li> <li>- Depends on temperature</li> </ul> </td> </tr> </tbody> </table>	Solid friction	Fluid friction	<ul style="list-style-type: none"> <li>- Independent of area of contact</li> <li>- Independent of relative velocity of the layers in contact</li> <li>- Independent of temperature</li> </ul>	<ul style="list-style-type: none"> <li>- Depends on area of layers considered</li> <li>- Depends on the relative velocity of the layers involved</li> <li>- Depends on temperature</li> </ul>	<p>2</p>
Solid friction	Fluid friction					
<ul style="list-style-type: none"> <li>- Independent of area of contact</li> <li>- Independent of relative velocity of the layers in contact</li> <li>- Independent of temperature</li> </ul>	<ul style="list-style-type: none"> <li>- Depends on area of layers considered</li> <li>- Depends on the relative velocity of the layers involved</li> <li>- Depends on temperature</li> </ul>					
	<p>(ii)</p>  <p>- A mark, M, is made at a suitable location on the board</p> <p>- Then the board is gently tilted until the block is just beginning to slide down</p> <p>- Then the height, h, of the mark, M, above the bench is measured</p>	<p>1</p> <p>1/2</p> <p>1/2</p>				

	<p>- The horizontal distance, <math>x</math>, of <math>M</math> from the line of contact of the board and the bench is also measured (where <math>x</math> is perpendicular to the line of contact). The diagram on the right shows the forces on the block at the start of slipping, in which <math>\mu</math> is the coefficient of friction</p> <p>So, <math>\mu mg \cos\theta = mg \sin\theta</math></p> <p><math>\therefore \mu = \tan\theta = \frac{h}{x}</math></p>	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>
(c)	<p>(i)</p>  <p>Let <math>x</math> = distance of centre of gravity from end A Taking moments about end A, we have</p> $30x + 10 \times 2 = 40 \times 1.5 \sin 45^\circ$ <p><math>\therefore x = \frac{40 \times 1.5 \sin 45^\circ - 20}{30}</math></p> <p><b>= 0.748 m from end A</b></p> <p>(ii) <math>A_x = 40 \cos 45^\circ = 28.28 \text{ N}</math></p> <p><math>A_y + 40 \sin 45^\circ = 10 + 30</math></p> <p><math>\therefore A_y = 40 - 28.28 = 11.72 \text{ N}</math></p> <p><math>\therefore</math> reaction at A = <math>\sqrt{A_x^2 + A_y^2} = \sqrt{28.28^2 + 11.72^2} = 30.6 \text{ N}</math></p> <p>at an angle <math>\alpha</math> to the horizontal, where <math>\alpha = \tan^{-1}\left(\frac{11.72}{28.28}\right) = 22.5^\circ</math></p>	<p>1</p> <p>1</p> <p>1</p> <p>1</p> <p>1</p> <p>1</p>
<b>Total = 20</b>		
5. (a)	<p>(i) Temperature is the degree of hotness of a body expressed as a number on some scale. Heat is the sum of the kinetic energy and potential energy of a substance's molecules.</p> <p>(ii) The material should have a property which</p> <ul style="list-style-type: none"> <li>- varies continuously with temperature, in value or otherwise, over a wide range</li> </ul>	<p>1</p> <p>1</p>

Any two @ 1

	<ul style="list-style-type: none"> <li>- is observable</li> <li>- is measurable</li> <li>- exhibits reproducible values at the respective temperatures</li> <li>- has distinguishable values even for small differences in temperature</li> </ul>	2
	<p>(iii)</p> <ul style="list-style-type: none"> <li>- volume of a liquid</li> <li>- pressure of a fixed mass of gas at constant volume</li> <li>- volume of a fixed mass of gas at constant pressure</li> <li>- electrical resistance of a wire</li> <li>- emf of a thermocouple</li> </ul> <p style="text-align: right; border: 1px solid red; border-radius: 15px; padding: 2px; display: inline-block;"><i>Any four @ 1/2</i></p>	2
(b)	<p>(i)</p> <p style="text-align: right;">1/2 1 1/2</p>	
	<p>(ii)</p> <ul style="list-style-type: none"> <li>- The gas in the capillary tube E is not at the temperature being measured. <span style="color: red;">✓</span> The error due to this can be reduced by making the capillary tube very narrow compared to the bulb. <span style="color: red;">✓</span></li> <li>- The bulb B expands. <span style="color: red;">✓</span> The error due to this is minimized by using a metal of very small expansivity for the bulb B. <span style="color: red;">✓</span></li> <li>- The density of the mercury changes with temperature. <span style="color: red;">✓</span> A correction for these changes is carried out. <span style="color: red;">✓</span></li> </ul> <p style="text-align: right;">1/2 1/2 1/2 1/2</p>	
(c)	<p>(i) The discrepancy arises because thermometric properties do not vary the same way as the temperature changes. <span style="color: red;">✓</span></p> <p>(ii)</p> $\theta = 100 \left( \frac{V_t - V_0}{V_{100} - V_0} \right) ^\circ\text{C}$	1 1



	$= \left[ \frac{V_o(1 + 80 \times 1000\beta + 80^2\beta) - V_o}{V_o(1 + 100 \times 1000\beta + 100^2\beta) - V_o} \right] \times 100^\circ \text{C}$ $= \frac{80,000 + 6,400}{100,000 + 10,000} \times 100^\circ \text{C}$ $= 78.5^\circ \text{C}$	<p>✓</p> <p>✓</p> <p>✓</p>	<p>1</p> <p>1</p>
(d)	(i) A thermojunction is one made by fusing together ends of two different metals	✓	1
	(ii)	<p><math>\theta_n = \text{neutral temperature}</math> <math>B = \text{inversion temperature}</math></p>	<p>1/2</p> <p>1/2</p> <p>1</p>
	(iii) Advantages:	<p><i>Any one adv.</i></p>	1
	<ul style="list-style-type: none"> <li>- It can measure temperature at a point</li> <li>- It is quick-acting and can therefore measure a rapidly changing temperature.</li> </ul> <p>Disadvantage</p> <ul style="list-style-type: none"> <li>- An emf corresponds to two temperatures, which could lead to wrong interpretation</li> </ul>		1
<b>Total = 20</b>			
6. (a)	...the heat flow rate per unit area per unit temperature gradient.	✓	1
(b)		<p>✓</p> <p>✓</p>	<p>1/2</p> <p>1/2</p> <p>1</p>

	<p>During conductivity measurement the following conditions should fulfilled:</p> <ul style="list-style-type: none"> <li>- Heat must flow through the specimen at a measurable rate</li> <li>- The temperature gradient along the specimen must be steep</li> </ul> <p>The specimen is in form of a uniform cylindrical copper rod</p> <ul style="list-style-type: none"> <li>- The diameter of the rod is measured from which its cross-sectional area is, <math>A</math>, is worked out ✓</li> <li>- Two holes, C and D a distance <math>l</math> apart, are made in the specimen. These are to accommodate thermometers. These holes are filled with mercury for good thermal contact. ✓</li> <li>- The apparatus is set up as shown, in which XY is the specimen, heated by at source H and cooled by water circulating through a tubular copper coil at Y. ✓</li> <li>- The apparatus is kept running until all the temperatures have become steady. ✓</li> <li>- Then the cooling water circulating is collected over a measured time interval and the mass of it, <math>m</math>, flowing per second is found. ✓</li> </ul> <p><i>Calculations:</i></p> <p>Let <math>k</math> = thermal conductivity of the specimen</p> <p>Then the heat flow rate per second, <math>Q/t = \frac{kA(\theta_2 - \theta_1)}{l}</math> ✓</p> <p>This heat is carried away by the cooling water. If <math>c_w</math> is the specific heat capacity of water, then <math>\frac{kA(\theta_2 - \theta_1)}{l} = mc_w(\theta_4 - \theta_3)</math> ✓</p> <p><math>\therefore k = \frac{mc_w(\theta_4 - \theta_3)l}{A(\theta_2 - \theta_1)}</math> ✓</p>	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>								
(c)	<p>(i)</p> <div style="text-align: center;"> <table border="1" style="margin: auto;"> <tr> <td style="text-align: center;"><math>\theta_2</math></td> <td style="text-align: center;"><math>20^\circ\text{C}</math></td> <td style="text-align: center;"><math>4^\circ\text{C}</math></td> <td style="text-align: center;"><math>\theta_1</math></td> </tr> <tr> <td style="text-align: center;"><math>k_g</math></td> <td style="text-align: center;"><math>k_a</math></td> <td style="text-align: center;"><math>k_g</math></td> <td></td> </tr> </table> </div> <p>Heat flow rate per <math>\text{m}^2</math>, <math>q = \frac{k_g}{l_g}(\theta_2 - 20) = \frac{k_a}{l_a}(20 - 4)</math> ✓</p> <p><math>\therefore \theta_2 - 20 = 16 \times \frac{k_a l_g}{k_g l_a}</math></p> <p><math>\theta_2 = 16 \times \frac{k_a l_g}{k_g l_a} + 20 = \frac{16 \times 0.025 \times 0.03}{0.72 \times 0.01} + 20</math></p> <p style="text-align: center;"><math>= 1.7 + 20 = 21.7^\circ</math> ✓</p> <p>Also <math>q = \frac{k_g}{l_g}(4 - \theta_1) = \frac{k_a}{l_a}(20 - 4)</math> ✓</p> <p><math>\therefore 4 - \theta_1 = 16 \times \frac{k_a l_g}{k_g l_a}</math></p>	$\theta_2$	$20^\circ\text{C}$	$4^\circ\text{C}$	$\theta_1$	$k_g$	$k_a$	$k_g$		<p>1</p> <p>1</p> <p>1</p>
$\theta_2$	$20^\circ\text{C}$	$4^\circ\text{C}$	$\theta_1$							
$k_g$	$k_a$	$k_g$								

	$\therefore \theta_1 = 4 - 16 \times \frac{k_a l_g}{k_g l_a} = 4 - \frac{16 \times 0.025 \times 0.03}{0.72 \times 0.01}$ $= 4 - 1.7 = 2.3^\circ$	1
	<p>(ii) <math>Q = qAt = 2 \times 2 \times 60 \times 60 \times \frac{k_g}{l_g} (\theta_2 - 20)</math></p> $= 14400 \times \frac{0.72}{0.03} \times 1.7$ $= 5.875 \times 10^5 \text{ J}$	1
(d)	(i) The total power radiated per $\text{m}^2$ from a black body is proportional to the fourth power of the body's absolute temperature	1
	<p>(ii)</p> <p>It is a pile of many thermal junctions connected in series. The junctions are attached to thin tin discs. The discs on a set of alternate junctions are blackened and are the ones exposed to the radiation while the other set is shield off from the radiation.</p> <p>The blackened junctions are made to face the area under test. When they absorb radiation they become hotter than the unexposed ones and each pair of a hot and a cold junction generates an emf.</p> <p>The total emf from the whole combinations is connected to a galvanometer, G. Deflection of the galvanometer indicates presence of radiation.</p>	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1</p> <p>1</p> <p>1</p>
<b>Total = 20</b>		
7. (a)	(i) The volume of a fixed mass of gas, at constant pressure is directly proportional to the absolute temperature.	1
	<p>(ii)</p>	<p>1/2</p> <p>1/2</p>

	<p style="text-align: center;">✓</p> <p style="text-align: center;">✓</p> <ul style="list-style-type: none"> <li>- A dry gas is trapped by mercury in a closed limb, R, which is graduated to measure the volume, V, of the trapped gas. ✓</li> <li>- The mercury levels in P and R are equalized by pouring mercury in at P, or running it off at Q. Thus the gas in R is always kept at constant pressure. ✓</li> <li>- The temperature, <math>\theta</math>, and the volume, V, of the gas are read and recorded. ✓</li> <li>- The temperature of the gas is varied. ✓</li> <li>- After stirring and ensuring uniform temperature, the mercury levels in P and R are equalized once again and the new values of <math>\theta</math> and V are taken. ✓</li> <li>- The procedure is repeated for various temperatures of the gas and a graph of V against <math>\theta</math> is plotted. It is a straight line ✓</li> </ul> <p>By extrapolation back to the temperature axis gives a point at which the temperature is about <math>-273^{\circ}\text{C}</math>. (See the graph below) ✓</p>	<p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p> <p style="text-align: right;"><math>\frac{1}{2}</math></p>
(b)	<p>(i)</p> <ul style="list-style-type: none"> <li>- The intermolecular forces in gases are negligible. So the molecules wander freely to any part of the container. ✓</li> <li>- The molecules are continuously bombarding the walls of the container ✓</li> <li>- Because the momentum changes involved a force is exerted on the walls and therefore pressure on the walls of the container ✓</li> </ul>	<p>1</p> <p>1</p> <p>1</p>
	<p>(ii) The pressure of a gas depends on its density and the mean square speed of its molecules. ✓</p> <p>When the temperature rises at constant volume, the density remains constant but the mean square speed is increased. So the pressure rises ✓</p>	<p>1</p> <p>1</p>
(c)	<p>(i) Boyle's law: <math>PV = A</math> ..... (1) ✓</p> <p>Charles's law: <math>V = BT</math> ..... (2) ✓</p> <p>Pressure law: <math>P = CT</math> ..... (3) ✓</p> <p>where A, B and C are constants</p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>

	Eq(1) x eq(2) x eq(3): $P^2V^2 = ABCT^2$ ✓ $\therefore PV = KT$ , where $K = \sqrt{ABC}$ , a constant ✓	1 1/2
	(ii) Let $m_1$ = original mass of the gas $m$ = mass of gas used $r$ = specific gas constant Then $P_1V_1 = m_1rT_1$ ..... (1) ✓ and $P_2V_2 = (m_1 - m)rT_2$ ..... (2) ✓	1 1
	Eq(2) ÷ eq(1): $\frac{P_2V_2}{P_1V_1} = \left(\frac{m_1 - m}{m_1}\right) \frac{T_2}{T_1}$ ✓	1/2
	But $V_1 = V_2$ $\therefore \frac{P_2}{P_1} = \left(\frac{m_1 - m}{m_1}\right) \frac{T_2}{T_1}$ ✓	1/2
	$\therefore 1 - \frac{m}{m_1} = \frac{P_2 T_1}{P_1 T_2}$	
	$\therefore m = \left(1 - \frac{P_2 T_1}{P_1 T_2}\right) m_1$ ✓	1/2
	$= \left(1 - \frac{4 \times 300}{6 \times 278}\right) \times 15$ ✓	1/2
	$= 4.21 \text{ kg}$ ✓	1

**Total = 20**

8. (a)	<p>A and B are parallel plates. H is a small hole in the centre of A</p>	2
	(i) The terminal velocity of the drops depends on the viscosity of the air. ✓ Viscosity depends on temperature ✓ So a constant temperature bath maintains a constant value of viscosity ✓	1 1/2 1/2
	(ii) The distance moved by the drop. ✓ The time taken to cover the distance ✓	1 1
(b)	(i) .... to establish the magnitude of charge on an electron ✓	1

	<p>(ii) Very high voltages are required There is a risk of producing x-rays due to the high accelerating p.ds involved.</p>	<p>1 1</p>
<p>(c)</p>	<p>(i)</p>	<p>1</p>
	<p>(ii)</p> <ul style="list-style-type: none"> <li>- Electrons are emitted from the cathode by photoelectric effect.</li> <li>- The electrons are accelerated towards the anode.</li> <li>- As the p.d is increased more electrons are enabled to reach the anode per second- This is depicted as increase in current.</li> <li>- When all the available electrons per second are reaching the anode, there is no more increase in current. The current is said to be saturated.</li> <li>- As the p.d is increased further, the electrons' kinetic energy is increased until they are able to ionize the gas atoms on their way.</li> <li>- The ions so formed move to the cathode while the additional electrons join in the flight to the anode – This processes of ionization leads to increase in current.</li> <li>- The knocked-out electrons gain kinetic energy and produce more ions and electrons.</li> <li>- Eventually, as the p.d is increased, a point is reached at which the current grows uncontrollably – This is a state of breakdown (avalanche)</li> </ul>	<p>1/2 1/2 1/2 1/2 1/2 1/2 1/2</p>
<p>(d)</p>	<p>The upthrust is negligible.</p> <div style="display: flex; justify-content: space-around; align-items: center;"> <div style="text-align: center;"> </div> <div style="text-align: center;"> </div> </div> $6\pi\eta r v = mg = \frac{4}{3}\pi r^3 \rho g$ $\therefore r = \sqrt{\frac{9\eta v}{2\rho g}} = \sqrt{\frac{9 \times 1.8 \times 10^{-5} \times 1.5 \times 10^{-3}}{2 \times 900 \times 9.81 \times 11.2}}$	<p>1 1</p>

	$= \sqrt{1.229 \times 10^{-12}} = 1.11 \times 10^{-6} \text{ m}$	1
Also	$\frac{V}{d}q = mg = 6\pi\eta rv$	1
$\therefore$	$q = \frac{6 \times \pi \times \eta \times r v d}{V} = \frac{6 \pi \times 1.8 \times 10^{-5} \times 1.11 \times 10^{-6} \times 1.5 \times 10^{-3}}{780 \times 11.2}$	1
	$= 6.47 \times 10^{-17} \text{ C}$	1
<b>Total = 20</b>		