EcoleBooks

-01-

ECTROMAGNETISM D ELECTROMAGNETIC DUCTION

Electromagnetism.

1. is a fundamental interaction between an ric field and magnetic field.

<u>gnetism in matter</u>

gnetism refers to a property of a

ance (or a material) to attract and hold other ances (or materials).

NB:

	iterial	that	exhibits	magnetism	\mathbf{is}	known
ha ha magnetic material.						

to be magnetic material.

rials affected by magnets are classified

into; -

- 1. 2. Ferro-magnetic materials.
- 3. Diamagnetic materials.

Paramagnetic materials. 1.

Ferro-magnetic materials.

These refer to materials which are strongly attracted by a magnet.

Examples of Ferro-magnetic materials include; -

- * Iron.
- * Steel.
- * Cobalt.
- * Nickel.
- * Alloys such as perm-alloy and alnico, etc.

Diamagnetic materials.

These refer to materials that are slightly (weakly) repelled by a strong magnet.

Examples of diamagnetic materials include; -

- * Zinc.
- * Bismuth.
- * Benzene.
- * Sodium chloride.

Note:

Diamagnetic materials when placed in a magnetic field, they are magnetised in the direction opposite to the magnetising field.

3. Paramagnetic materials.

These refer to materials which are slightly (weakly) attracted by a strong magnet.

Examples of paramagnetic materials include; -

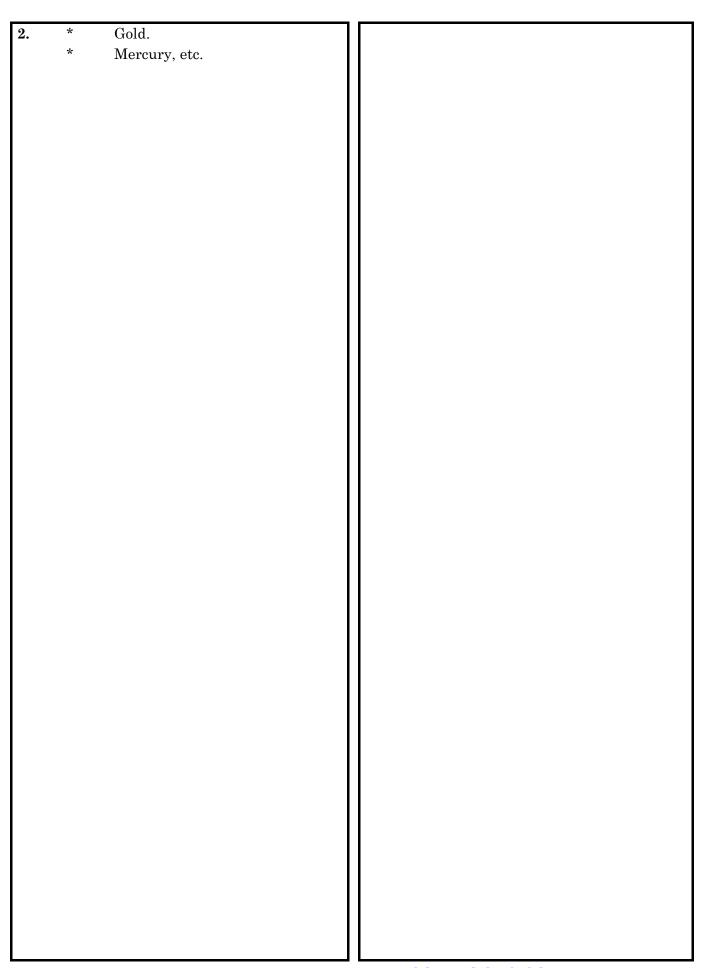
- * Wood.
- * Aluminium.
- * Uranium.
- * Platinum.
- * Oxygen.
 - * Copper (II) sulphate, etc.
- NB
- (i) Paramagnetic materials become more magnetic when they are very cold.
- (ii) Since paramagnetic materials are slightly attracted by a strong magnet, then they are considered to be nonmagnetic materials.

Note

- 1. The magnetic materials made from powders of iron oxide and barium oxide are known as <u>Ferrites</u>.
- An example of a very strong magnet made from ferrites is Ceramic magnet (Magnadur magnet)
- 2. Other strong magnets are made from alloys of iron, nickel, copper, cobalt and aluminium.

Properties of a magnet.

 (i) When a bar magnet is freely suspended, it always comes to rest while pointing in North-South direction, i.e., *its north pole points in the earth's geographical north and south pole in the earth's geographical south*.



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trade names such as; -

(ii)	The magnetic force is strongest (more concentrated) at the poles than the centre of the magnet.	* Alnico * Ticonal.			
(iii)	Like poles of a magnet repel each other, unlike poles of a magnet attract each	They contain iron, nickel, cobalt aluminium and copper in various proportions.			
	other.	(c) Recent special alloys for making temporary magnets include; -			
NB:	The third property of magnets is known	* Mumental (nickel + iron +			
(i) as the "law of magnetism" (or the first law of magnetism).		copper)			
(ii)	There are 3 major ways of making a material to become a magnet, namely;	* Stalloy (iron + silicon)NB:			
(11)	Electrical method.	(a) The use of a hard magnetic			
*	Stroking (Touch) method. Absolute	material is for making permanent magnets			
*	method.	used in loudspeakers, dynamos,			
*	<u>etic properties of Steel and Iron</u>	telephone earpiece, etc. (b) Soft magnetic materials are used; -			
<u>Magn</u>		materials are used, -			
<u>(Harc</u>	<u>l</u> nagnetic materials:	 for making electromagnets. a magnetic heapens for proper 			
t 1 1 1	These refer to Ferro-magnetic materials which take long to be magnetized and	* as magnetic keepers, for proper storage of magnets.			
	can retain their magnetism for a long	Magnetic Field and magnetic field lines			
	time after the external magnetic field is removed.	Magnetic field			
	Example of a hard magnetic material is hard steel .	 This is a region around a magnet where the magnetic force is experienced (felt). A magnetic field is a vector quantity and it can be graphically represented by <u>magnetic</u> <u>field lines</u> which indicate its strength and direction. 			
	Soft magnetic materials:				
2.	These refer to Ferro-magnetic naterials which can easily be				
	hagnetized but can not retain their	NB			
	nagnetism after the external				
	nagnetic field is removed. ple of a soft	1. The direction of the <u>magnetic field</u> at any given point refers to the direction			
	nagnetic material is <u>iron</u> .	of the force on a north pole at that			
Exam		point.			
NB:	A magnet made from a hard magnetic	The direction of the magnetic force is			
(a)	material is said to be a permanent	represented by the magnetic field lines also known as lines of magnetic force			
	magnet , while a magnet made from a soft magnetic material is said to be a	or lines of magnetic flux.			
	temporary magnet.	Magnetic field line or line of magnetic force			
	Recent special alloys for making powerful permanent magnets have	or <i>line of magnetic flux</i> refers to the path which shows the direction that a north pole would follow when placed in a magnetic			

field.

(b) *	Alcomax	
(~)	- Hoomun	

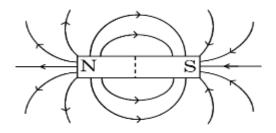
2. The magnetic field lines can be thought of as closed loops with one part inside the magnet and the other part outside the magnet.

<u>Properties (or Characteristics) of</u> <u>magnetic field lines.</u>

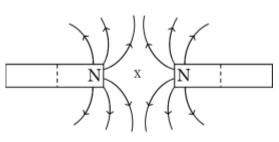
- * Outside the magnet, the magnetic field lines start from the North pole and end on the South pole. Inside the magnet, the field lines continue from South pole to North pole.
- * Magnetic field lines never cross each other.
- * The magnetic field lines are close to each other where the magnetic field is strongest (at the poles) and further apart where the field is weak (middle of the magnet).

<u>Magnetic field pattern due to magnets</u>

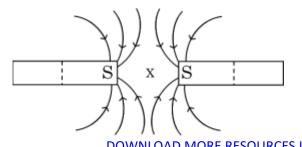
1. Single isolated bar magnet



2. (a) Two north poles near each other



(b) Two south poles near each other.



NB:

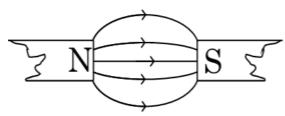
The field around a bar magnet is non uniform, i.e. the strength and direction vary from one place to another.

<u>Effect of magnetic material on magnetic</u> <u>field lines</u>

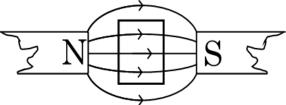
- * Non-magnetic materials like copper, have no effect on magnetic field lines.
- * Magnetic materials such as **iron** concentrate magnetic field lines.

Illustration

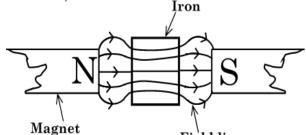
(a) No material placed between unlike poles (No effect).



(b) Copper placed between unlike poles (No effect).



(c) Iron placed between unlike poles (Iron concentrates the field lines within itself).



Field line

THE EARTH AS A MAGNET

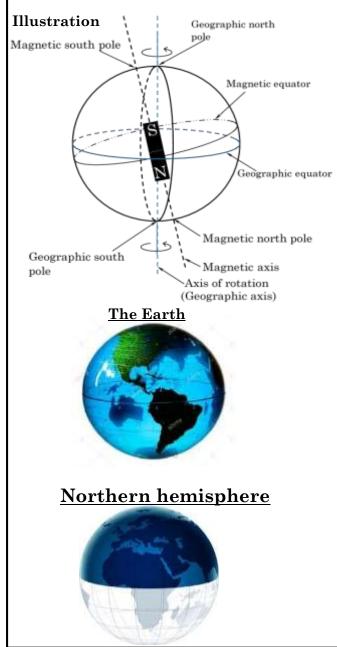
- The Earth consists of a solid iron core which is surrounded by an ocean of hot, liquid metal.
- The liquid metal flows in Earth's core

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in turn create magnetic field within and around the earth.

- ✓ This field affects a compass needle as one moves on earth's surface from one point to another.
- ✓ Thus, the earth behaves as though it contains a short bar magnet inside it inclined at a small angle to its axis of rotation.
- ✓ The earth's magnetic north-pole is conventionally in the southern hemisphere and its magnetic southpole in the northern hemisphere.

Therefore, the south pole of an imaginary earth's magnet attracts the north pole of the suspended bar magnet or the north pole of the compass needle



Southern hemisphere

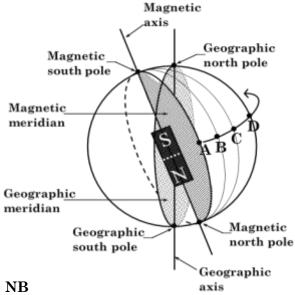


Elements of the earth's magnet.

There are three major elements of the earth's magnet

- (i) Magnetic meridian
- (ii) Geographic meridian
- (iii) Angle of declination (Magnetic variation)

Illustration



A, **B**, **C** and **D** are different positions on the earth's surface lying on different magnetic meridians as a person rotates along the earth's surface in an anti-clockwise direction.

Definitions

(i) Magnetic meridian

This refers to the vertical plane containing the magnetic axis of a freely suspended magnet at rest under the action of the earth's magnetic field. **OR**,

It is the vertical plane passing through the earth's magnetic south and north poles.

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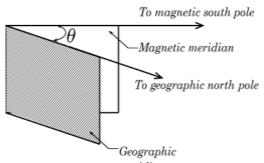
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(ii) Geographic meridian

This refers to the vertical plane which passes through the earth's geographic north and south poles.

(iii) Magnetic variation (Angle of declination)

This refers to the angle in the horizontal plane between the earth's magnetic and geographic meridian.



meridian

 The angle of declination changes depending on where an observer is positioned on the earth's surface. At a particular place, the magnetic variation can change with time due to changing position of the earth's magnetic polarities.

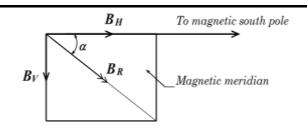
Note

- When the magnetic axis and the geographic axis are in line as seen by the observer, then the angle of declination is zero.
- (iii) Magnetic axis refers to the imaginary line passing through the earth's magnetic north and south poles.
- (iv) Geographic axis refers to the imaginary line through the center of the earth and passing through the geographical north and south poles.

Angle of inclination (angle of dip)

This refers to the angle between the horizontal surface of the earth and the direction of the earth's magnetic field at a particular point on the earth's surface. **OR**,

It is the angle between the horizontal and the magnetic axis of a freely suspended magnet.



a is angle of dip.

BV is the vertical component of the earth's magnetic field.

 $oldsymbol{BH}$ is the horizontal component of the

earth's magnetic field.

BR is the resultant earth's magnetic field.

Note

(i) Angle of dip can be calculated from,

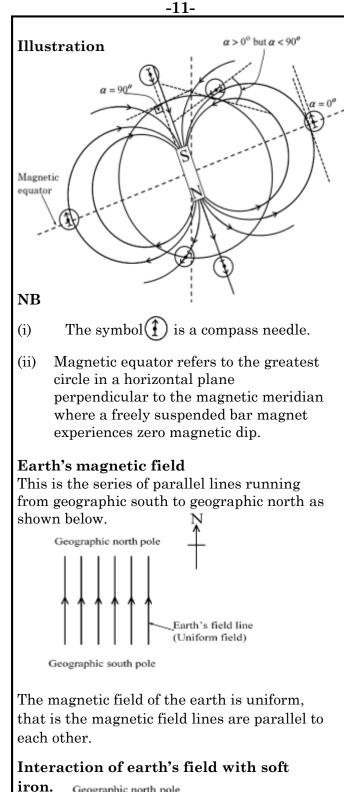
$\Box \Box Tan^{\Box 1} \Box \Box \Box BB^{\underline{V}}_{H} \Box \Box \Box \Box, \text{ if } B_{H} \text{ and }$

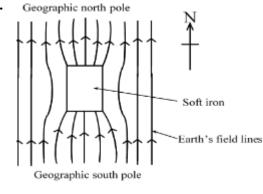
BV are known.

- (ii) In the northern hemisphere, the north pole of the compass needle dips and in the southern hemisphere, the south pole of the compass needle dips.
- (iii) As an observer moves from the magnetic equator towards the magnetic south pole, the angle of dip keeps changing. At the magnetic equator, the earth's magnetic field lines are parallel to the horizontal (earth's surface); therefore, the angle of dip at the magnetic equator is zero

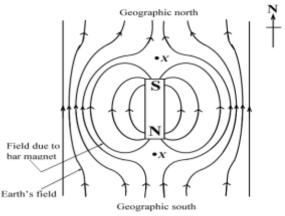
degrees (0). As the observer moves along a given longitude towards the geographic north pole (or magnetic south pole), the resultant magnetic field lines meet the earth's surface at

angles greater than 0 but less than o $90\,$, thus the angle of dip at such a 0 position is also greater than 0 but oless than 90 . At the earth's magnetic south pole, the magnetic field lines are normal to the surface of the earth, thus they are perpendicular to the horizontal. Therefore, the angle 0 of dip is 90 .

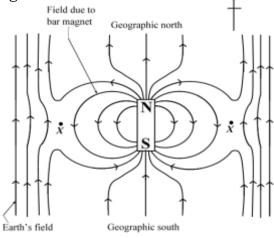




Interaction of earth's field with a bar magnet when the south pole of the bar magnet is pointing in the geographical north pole and the magnet is in the magnetic meridian.



Interaction of earth's field with a bar magnet when the north pole of the bar magnet is pointing in the geographical north pole and the magnet is in the magnetic meridian.



Note:

At point *X*, the magnetic field lines cancel out each other and any magnetic material placed at that point does not experience any magnetic force. *X* is therefore called a *magnetic neutral point*.

Definition:

Magnetic neutral point refers to a point in the magnetic field where the resultant magnetic force is zero.

<u>The Molecular (Domain) theory of</u> <u>Ferromagnetism</u>

Every ferromagnetic material has a very strong interaction between the nearby atoms. This creates magnetic fields generated to line-up in the same direction, in different regions, causing the regions to be spontaneously magnetized. These regions are called <u>domains</u>.

The direction of magnetization of the domains vary from domain to domain and in the absence of an external magnetic field, the domains cancel out each other, resulting into a net zero magnetization in the material.

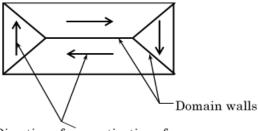
NB

Domain theory helps to explain

- * Magnetization of a material
- * Demagnetization of a material
- * Hysteresis in magnetic materials.

Magnetization as explained by domain theory.

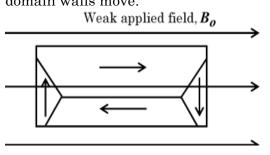
In absence of a an external magnetic field B_o , the fields of various spontaneously magnetized domains cancel out each other.



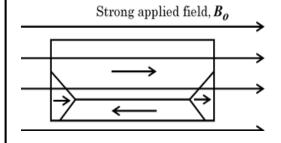
Direction of magnetization of the domains

When an external magnetic field, $oldsymbol{B_{o}}$ is

applied to a ferromagnetic material, the domains whose directions are in the direction of B_o , grow at the expense of the others. The domain walls move.



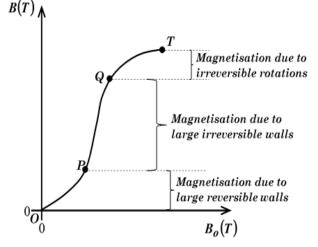
If the external magnetic field is increased more, the domain walls move faster and a point is reached when the domain axis suddenly rotates and lines up with B_o .



A father increment of B_o cause more domains to rotate and eventually all the domain axes line up with B_o . The material is said to be <u>magnetized</u>.

Magnetization curve.

This shows how the Magnetic induction (Magnetic flux density), \boldsymbol{B} inside the material varies with the applied magnetic field, $\boldsymbol{B}_{\boldsymbol{O}}$.



Along OP, the magnetization is small and reversible.

Between P and Q, the magnetization increases rapidly as B_0 increases and it is irreversible.

Beyond Q, for values of B_o , very little increase of B occurs and the material is said to be approaching full magnetisation along QT.

At T, the material is said to be magnetically saturated.

<u>Note</u>

When all the domain axes have and face in the direction of the ϵ applied magnetic field, then the said to be *magnetically sature*

<u>Hysteresis</u>

This refers to the tendency of the domains to stay in the current of material when the direction of th magnetizing field is reversed.

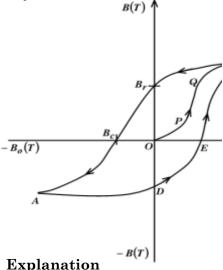
OR,

It is the lagging of the magnetic in a ferromagnetic material with cyclic variation of the magnetic p applied to the material.

NB

Hysteresis can be best illustrate curve called <u>hysteresis curve</u> ((<u>loop</u>)

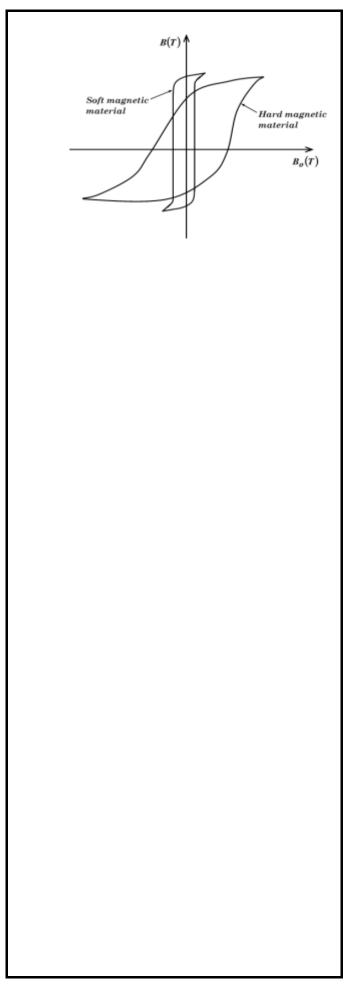
Hysteresis curve



Along OPQS, the material is bei magnetized and so, *B* increases increased.

When the material has reached S) and the magnetizing field B_{ℓ} zero, the material remains stror magnetized and retains some flucalled <u>remanence</u> (or <u>retentivi</u> material.

When the magnetizing field ${}^{B}o$ is reversed, **B** decreases and becomes zero when **Bo** $\Box^{B} c(\underline{coercivit}$ y of the material) If the reverse magnetizing field is increased more, the material becomes magnetically saturated in reverse direction at A. Decreasing the field and again reversing to saturation point, S, gives the rest of the loop ADES. The loop obtained is known as *hysteresis* loop. Note 1. Hysteresis curve shows that magnetization, **B** of a material lags behind the magnetizing field, ${}^{B}o$ when it is taken through a complete magnetization cycle. This effect is known as *Hysteresis*. $\mathbf{2}$. The size of the loop is directly proportional to the amount of energy required to take a unit volume of a material through one complete cycle of magnetization. This energy increases the internal energy of the material which is lost as heat to the surroundings and it is known as Hysteresis loss. 3. The hysteresis loop for a hard magnetic material (hard steel) is larger than that of a soft magnetic material (soft iron). This implies that soft iron generates a lower hysteresis loss compared to hard steel and it is for this reason that soft iron is preferred to hard steel in an A.C transformer.



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Note:

Reversing $B_{oto} B_c$ reduces the magnetic

flux density of the material to zero but does not permanently demagnetize it.

Therefore, for effective demagnetization of a ferromagnetic material, the material is inserted into a solenoid through which an alternating current is flowing and then either the current is reduced to zero or the material is withdrawn slowly from the solenoid.

In either case, the material is taken through a series of diminishing hysteresis loops.

Magnetic flux, □ and Magnetic flux density, *B*

Magnetic flux density, B.

This is the force acting on a straight conductor of length 1m, carrying a current of 1A and placed perpendicular to a uniform magnetic field.

The magnetic flux density, **B** represents the magnitude and direction of the field. It is at times called <u>magnetic induction</u>.

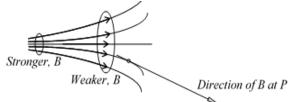
Magnetic flux density, \boldsymbol{B} is directly proportional to magnetic field strength, \boldsymbol{H} i.e

$B\Box H$.

The S.I unit of flux density is a $\underline{Tesla, T}$.

NB:

The closer the magnetic field lines the stronger the magnetic flux density, B. The direction of B at any point is given by the tangent to the field line at that point.



<u>Magnetic flux, φ</u>.

This refers to the product of the magnetic flux density, B and the area, A, through which the magnetic field lines are passing perpendicularly. **OR**,

i.e., $\Box \Box B \Box A$.

The magnetic flux through a region is the measure of the number of magnetic field lines passing through the region.

<u>Derivation of $\Box \Box ABcos \Box$.</u>

Consider a flat circular coil of area, A whose normal makes an angle, \Box with a magnetic

Line normal to A $B \cos \theta$ (Component of B along the normal) Area, A

field of flux density, **B**.

By definition, flux, $\Box \Box B \Box A$, but *Bcos* is the component of *B* along the normal

$\Box \Box \Box A \Box B cos \Box \Box \Box \Box A B cos \theta$

The S.I unit of magnetic flux is a <u>Webber</u>, <u>Wb</u>.

NB: (i)

From,

 $\Box \Box A \Box B cos \Box \Box B \Box ____$

 $A \Box cos \Box$

Thus, if A is perpendicular to B then, $\Box \Box 0^{o}$

and so, $cos0 \Box 1 \Box B \Box^{\Box} \Box \Box \Box A \Box B$.

A

Therefore, *magnetic flux density*, *B* can be defined as the number of magnetic field lines per unit area $(1 \ m^2)$ passing through a region perpendicularly.

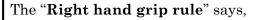
(ii) $1 \text{ Wb} = 1 \text{ T m}^2 \text{ or } 1 \text{ T} = 1 \text{ Wb m}^{-2}$.

Therefore, a **Webber** refers to the magnetic flux that passes perpendicularly through an area of 1 m^2 when the magnetic flux density is 1 T.

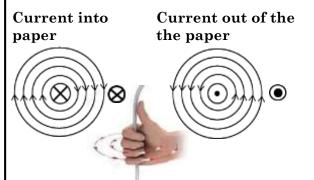
Magnetic fields of a current carrying conductor.

It is product of the magnetic flux density and the projection of the area normal to the magnetic field.	A straight wire carrying an electric current has a magnetic field associated to it and the field lines are a series of concentric circles centred on the wire.		
	The direction of the field is obtained by the right hand grip rule .		

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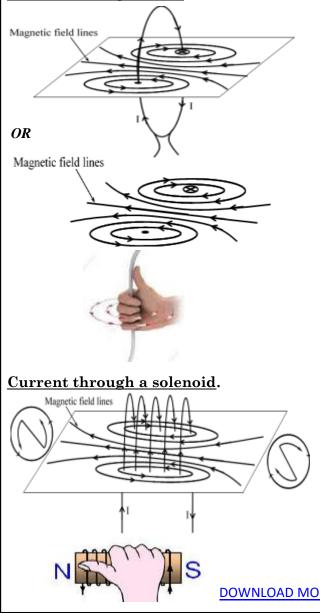
"Grip the wire using the right hand with the thumb pointing in the direction of the current, the fingers then point in the direction of the field.



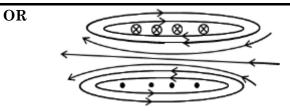
NB:

The field of a wire can be increased by coiling the wire to form a coil or a solenoid.

Current through a coil.



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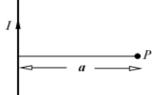
NOTE:

A solenoid produces a magnetic field similar to that of a bar magnet. Inside the solenoid, the magnetic field lines are parallel to the axis of the solenoid and at the ends, the field lines diverge from the axis.

The polarity of the magnet produced can be determined by,

- (a) Griping the solenoid with the right hand such that the fingers point in the direction of current then, the **thumb** points to the **North Pole** so that the opposite end is the **South Pole**.
- (b) Looking directly at the end of the solenoid, if the current flow is clockwise, the end is a south pole. But if the current flow is anticlockwise then, the pole is a north pole.

Magnetic flux density due to an infinitely long straight wire.



The

magnetic

flux density at a point P directed into the paper has a magnitude given by the expression

 $B \square \square \overline{D} \overline{D} \overline{I}$,

2 π *a*

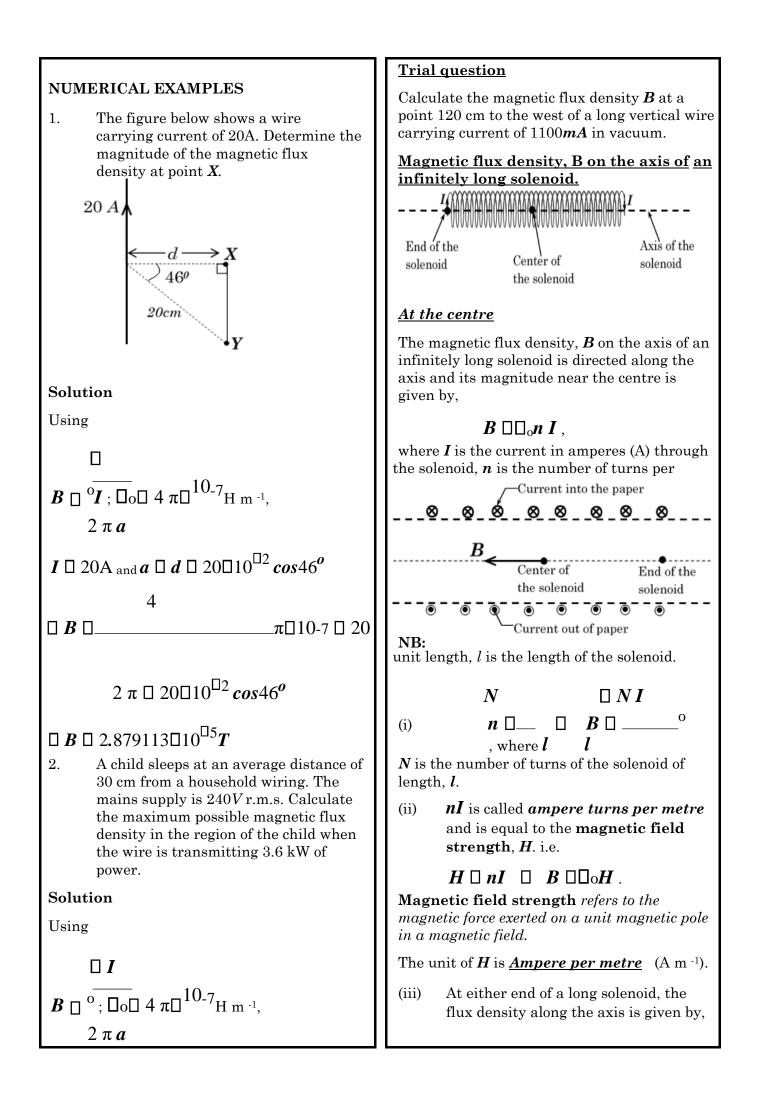
where I is the current in Amperes (A) through the wire, \mathbf{a} is the perpendicular distance in metres (m) of the point P from the wire, $\mathbf{\mu}_{o}$ is the constant of proportionality

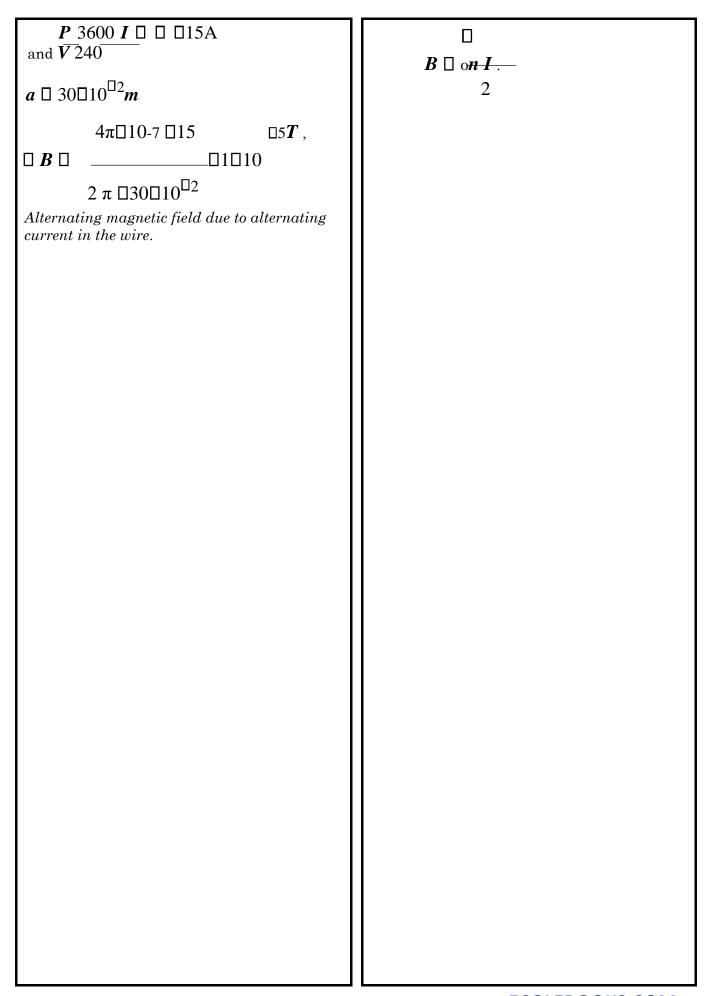
called Permeability of free space ($\Box o \Box 4$

π¹⁰⁻⁷H m⁻¹.).



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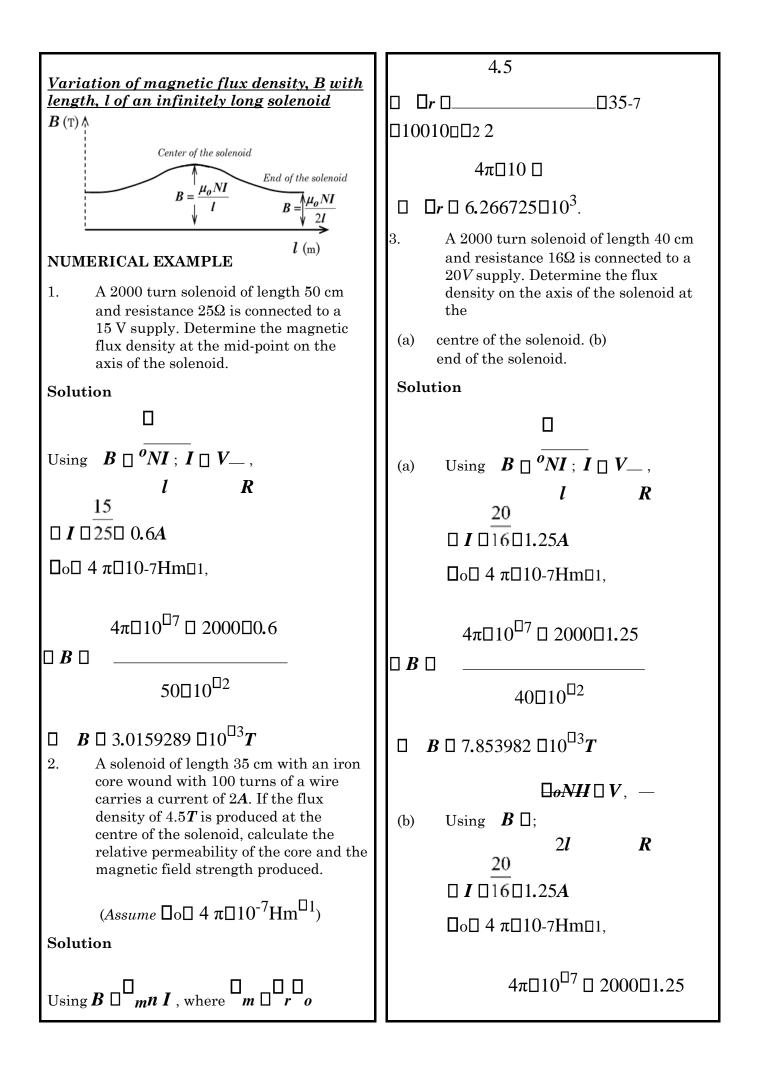




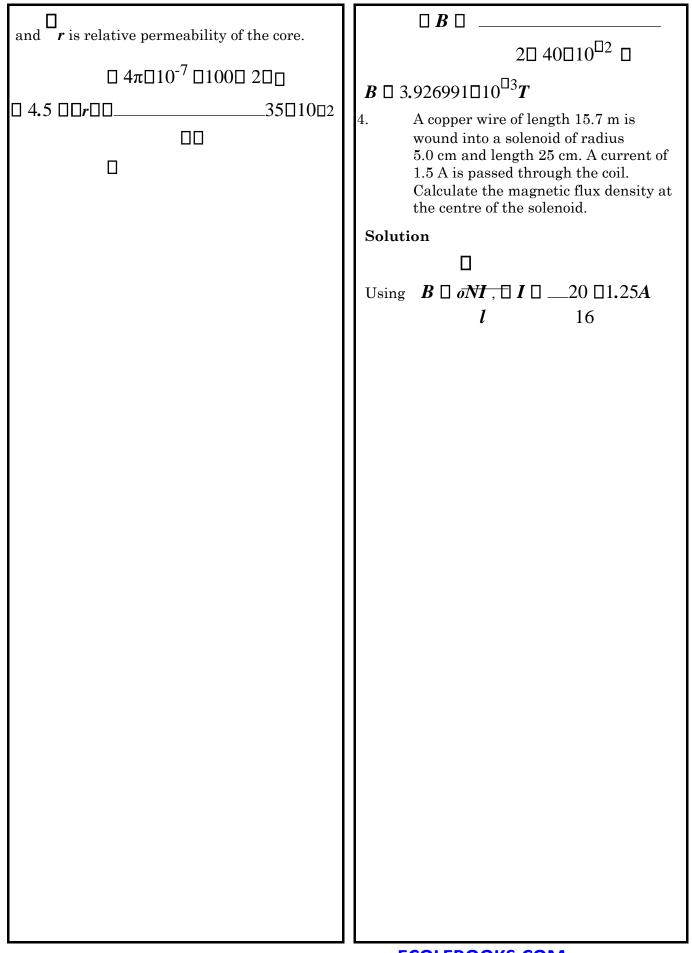
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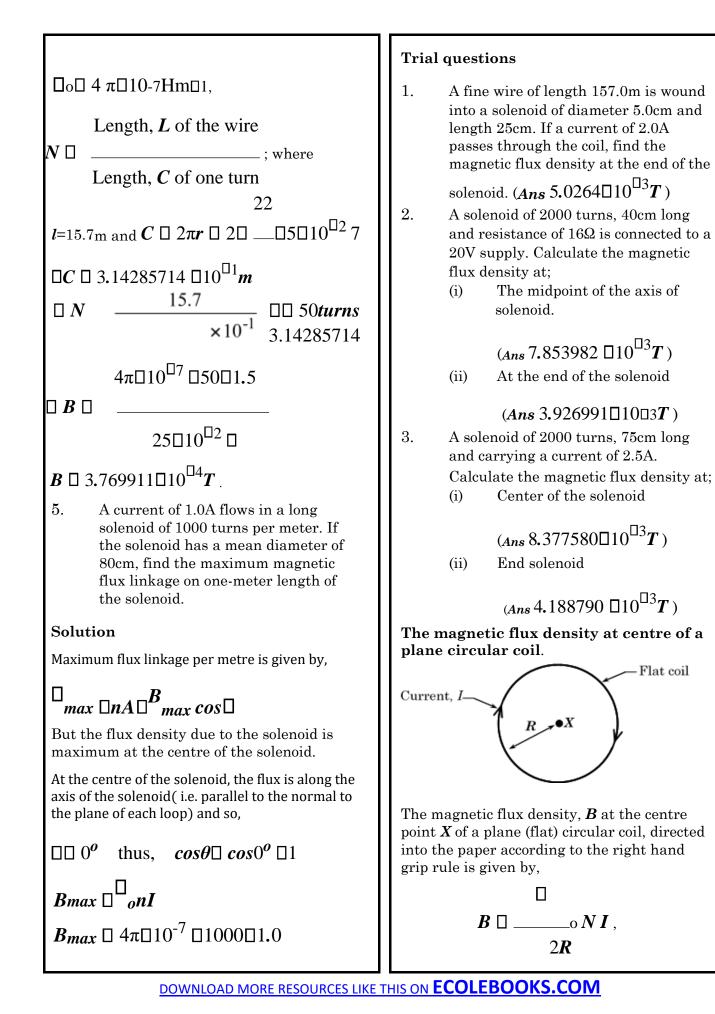
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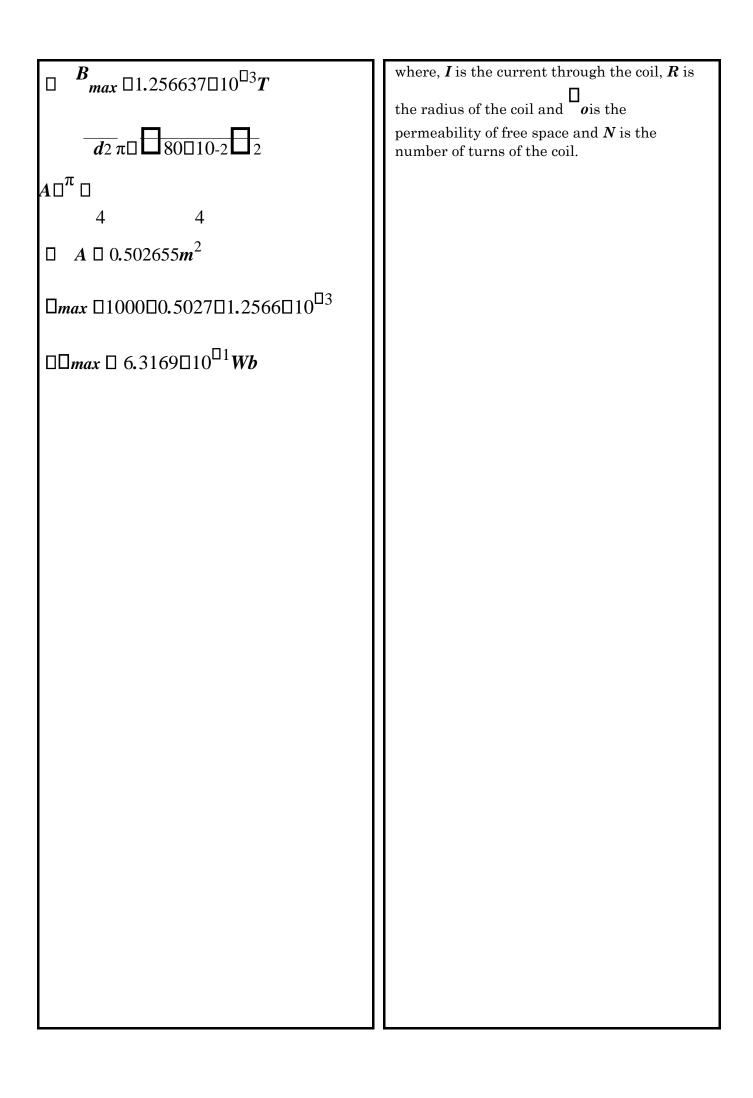






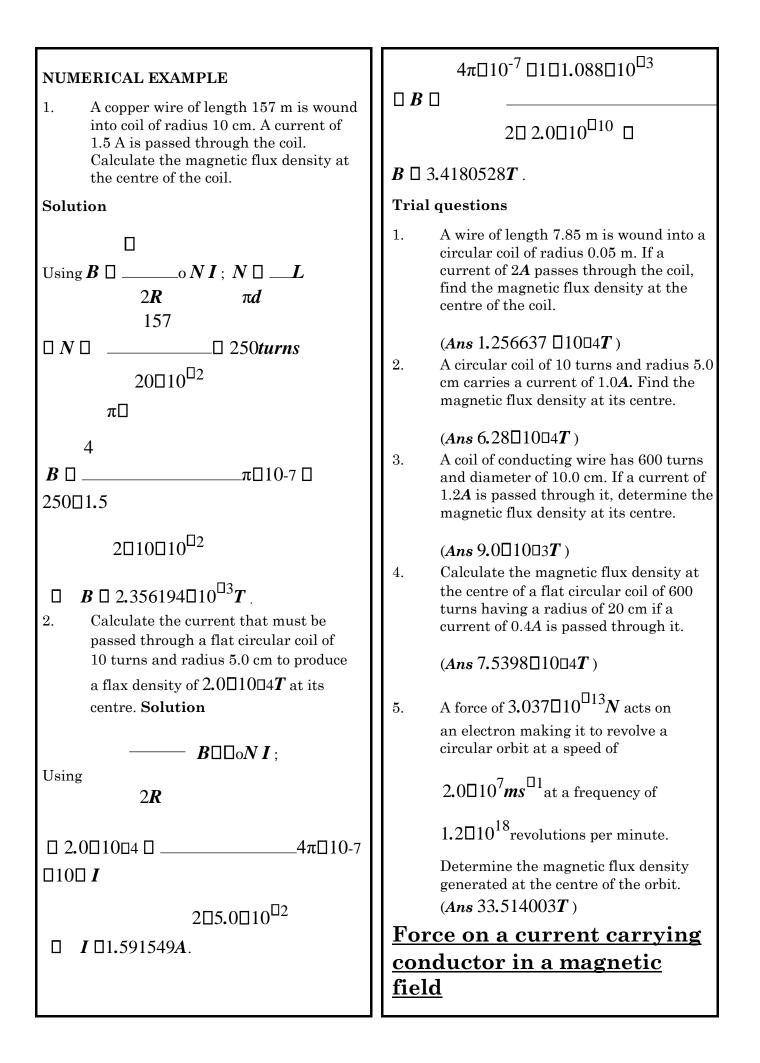
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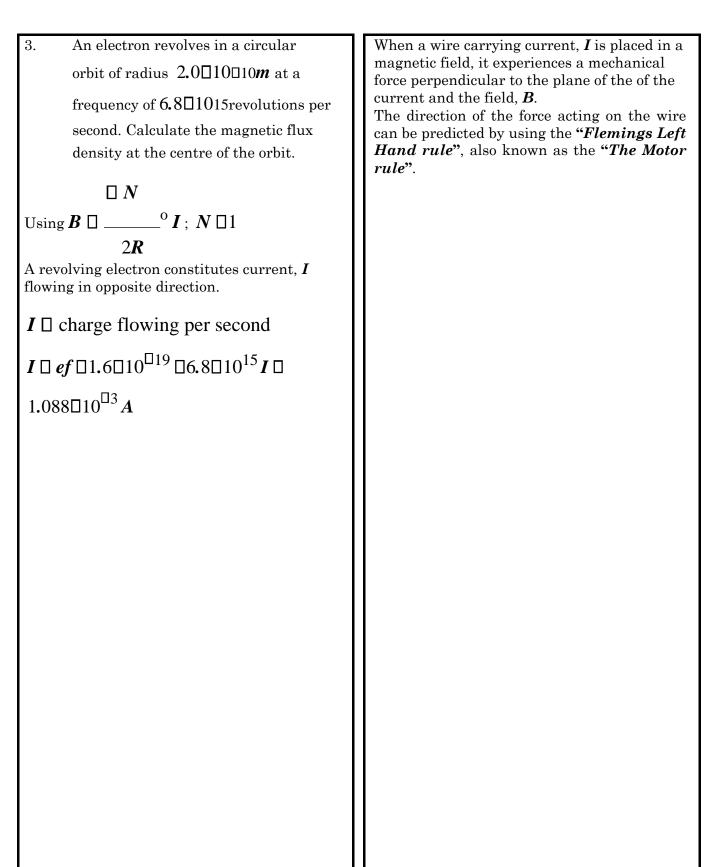




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Ecolatooks





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NB:

If a current carrying conductor is placed in the same direction as a uniform magnetic field, the flux density on both sides is the same and therefore, no resultant force acts hence no motion.

Factors affecting magnetic force.

- (i) Magnitude of the current, I through the conductor. $F \Box I$.
- (ii) Length, l of the conductor in the magnetic field. $F \square l$.
- (iii) Magnitude of the magnetic flux density, $B. F \square B.$

B. $F \square sin \square$.

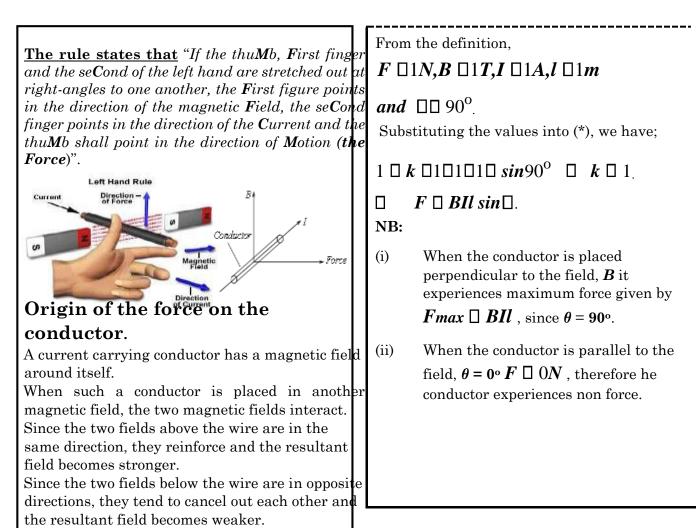
Combining all the factors above, we have,

$F \square BIl sin \square \square F \square kBIl sin \square ...(*)$

where k is the constant of proportionality. But the unit of *B* is a **Tesla**.

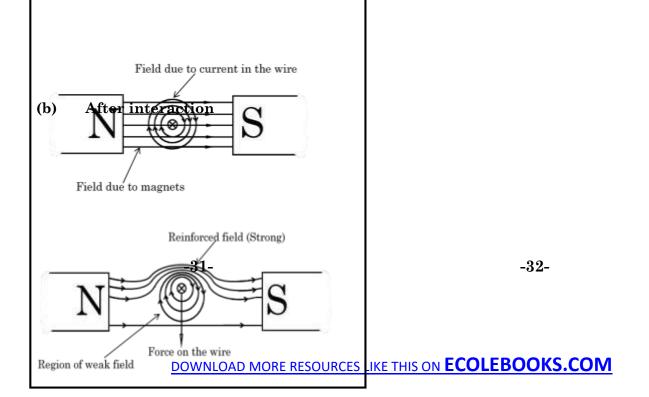
A <u>**Tesla**</u> refers to the magnetic flux density of a uniform field when the force on a conductor, **1** *m* long placed perpendicular to the field and carrying a current of **1** *A* is **1** *N*.

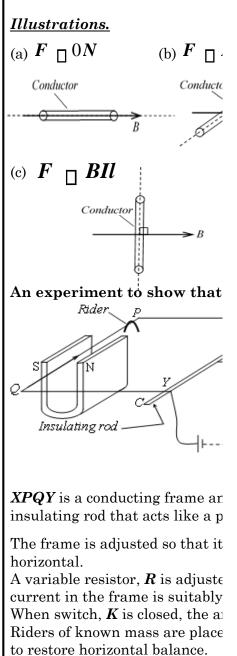
⁽iv) The orientation of the conductor in the magnetic field of the angle, θ between the conductor and the magnetic field,



If we suppose the field lines to be stretched elastic materials (**catapult field**), then the field lines above the wire will try to straighten out and in so doing, they exert a downward force on the wire.

(a) Before interaction

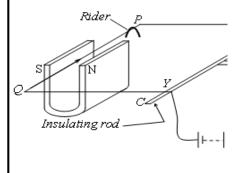




When the current is increased, have to be added to the arm PGhorizontal balance.

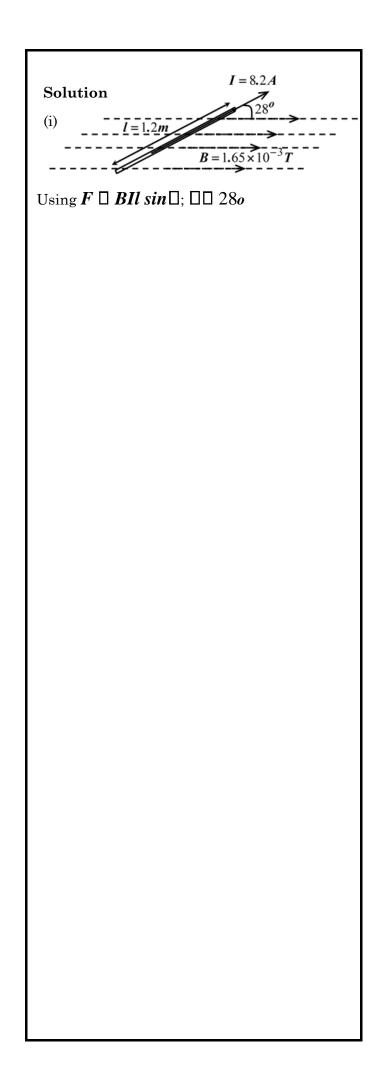
This means that the magnetic f proportional to the current, I th wire PQ i.e $F \bigsqcup I$

An experiment to show that

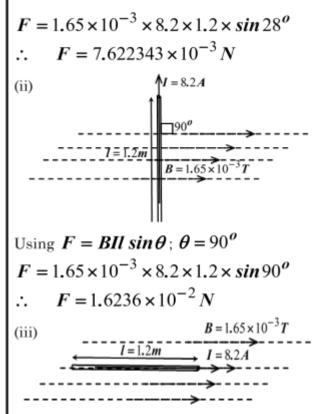




XPQY is a conducting frame and **BC** is an insulating rod that acts like a pivot. The frame is adjusted so that its plane is horizontal. A variable resistor, **R** is adjusted so that the current in the frame is suitably small. With only one **U**-shaped magnet, switch, **K** is closed and the arm **PQ** rises. With the value of \boldsymbol{R} fixed, the number of magnets of identical size and strength are placed along **PQ**. The length of the wire in the field is therefore increased. More riders have to be added to restore horizontal balance. This means that the magnetic force on the conductor is proportional to the length of the conductor in the field. i.e. $F \Box l$. NB: In order to show that $F \square B$, the bar (i) magnets are replaced by the by an electromagnet made by passing current through a coil of many turns. As the current in the coil is increased, the magnetic flux density also increases and hence, more riders are added to restore equilibrium. This means that, $F \square B$. For a fixed value of current in the coil, (ii) the orientation of **PQ** with the magnetic field at the centre of the coil is varied. The number of riders required to restore balance is greatest when *PQ* is perpendicular to the field. NUMERICAL EXAMPLE 1. A conductor carrying a current of 8.2 A and of length 1.2 m is placed in a magnetic field of flux density $1.65\Box 10^{\Box 3}T$. Determine the force on the conductor when it is (i) at an angle of 28° to the field. (ii) perpendicular to the field. (iii) parallel to the field.



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Using
$$F = BII \sin\theta$$
; $\theta = 0^{\circ}$
 $F = 1.65 \times 10^{-3} \times 8.2 \times 1.2 \times \sin 0^{\circ}$
 $\therefore F = 0N$

2. A horizontal wire carrying a current of 5.0A lies in a vertical magnetic field of flux density 0.05T. Calculate the force per meter on the wire.

Using
$$F = BIl \sin\theta \Rightarrow \frac{F}{l} = BI \sin\theta$$

But $\theta = 90^{\circ}$
 $\Rightarrow \frac{F}{l} = 0.05 \times 5 \times \sin 90^{\circ}$
 $\therefore \frac{F}{l} = 0.25 Nm^{-1}$.

3. A horizontal straight conducting wire of mass 50mg and length 50 cm is placed in a uniform magnetic field of 0.025 T. If the field is perpendicular to the conductor, calculate the current flowing through the conductor if the conductor is in equilibrium under the action of its weight and the magnetic force on it.

$$R = \frac{\rho I}{A} \Rightarrow \rho' A lg = \frac{B_H V}{\rho l}$$

$$\Rightarrow \rho' lg = \frac{B_H V}{\rho} \text{ since } I = \frac{VA}{\rho l}. \text{ But,}$$

$$\rho' = 1.0 \times 10^4 kgm^{-3},$$

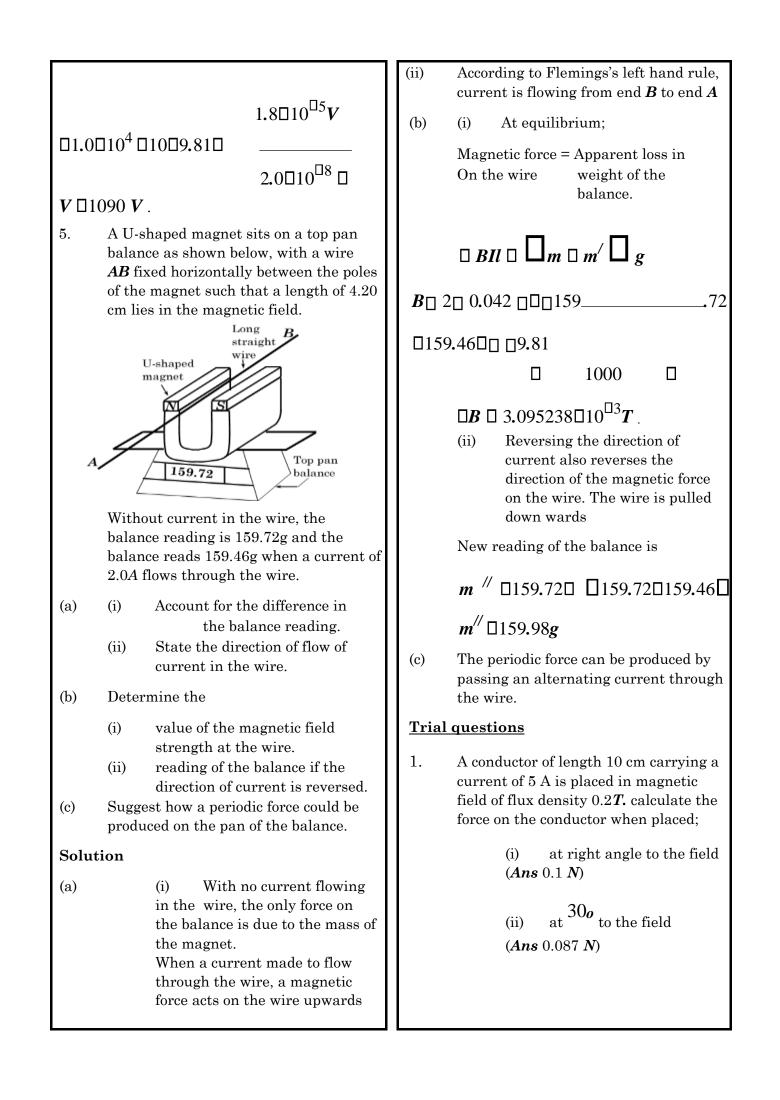
$$\rho = 2.0 \times 10^{-8} \Omega m, B_H = 1.8 \times 10^{-5} T$$

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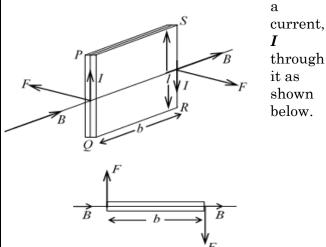
according to Fleming's left hand rule. This creates a slight on a magnet causing the reading of the balance to change.	(iii) parallel to the field (Ans 0 N) 2. A straight horizontal wire 5 cm long weighing $1.2gm^{\Box 1}$ is placed normal to a T uniform horizontal magnetic field of flux density 0.6. if the resistance of the wire is 3.8 $\Omega m \Box 1$. Calculate the p.d that has to be applied between the ends of the wire to make it just self- supporting. (Ans $3.7278\Box 10^{\Box 3}V$)

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3.	A straight horizontal rod of mass 140 g and length 0.6 m is placed in a uniform horizontal magnetic field 0.16 T perpendicular to it. Calculate the current through the rod if the force acting on it just balances its weight. (<i>Ans</i> 14.30625 <i>A</i>)	To <u>co</u> Con situ mag
4.	A copper cable of diameter 25 cm carries a current of 2000 A through the earth's magnetic field of	F
5.	$3.0 \Box 10^{\Box 5} T$. If the earth's field makes an angle of 42o with the normal to the conductor and the length of the cable is 50 m, determine the force acting on the cable. (<i>Ans.</i> 126 <i>N</i>) A 10 cm long portion of a straight wire carrying a current of 10 A is placed in a magnetic field of 0.1 <i>T</i> making an angle of 53° with the wire. What magnetic force does the wire experience?	If th are
6.	(Ans. 7.986355 \Box 10 \Box 2 N) At a certain point on the earth's surface, the horizontal component of the earth's magnetic field is	of <i>P</i> The form torg
(a)	1.8 $\Box 10^{\Box 5}T$. A straight piece of conducting wire 2.0 m long, of mass 1.5g, lies on a horizontal wooden bench in an east-west direction. When a very large current flows momentarily in the wire it is just sufficient to cause the wire to lift up off the surface of the bench. State the direction of the current in the wire. (Ans. The current is towards the east according to Fleming's left hand rule since the	□□□ But □ NB : * * <u>Tor</u> <u>pla</u> :
		mag

<u>Torque on a rectangular</u> <u>coil in a magnetic field.</u>

Consider a rectangular coil made of copper situated with its plane parallel to a uniform magnetic field of flux density, \boldsymbol{B} and carrying



If the coil has N turns and sides PQ and RS are of length, l then, the force on either sides

of PQ and RS is given by, $F \square BINl$. The two forces on side PQ and RS together form a couple whose turning effect is called

torque, \Box . Torque, \Box is given by,

$\Box \Box F \Box b \quad \Box \Box \Box BINIb \Box BIN \Box Ib \Box,$

But, $lb \square A$, area of the coil.

D DD **BINA**.

- The unit of torque is **newton metre** (Nm). Another unit is **Webber Ampere** (Wb A).
- * There are no forces on PS and QR because they are parallel to the field.

<u>Torque on a rectangular coil whose</u> <u>plane is inclined at an angle,</u> to the

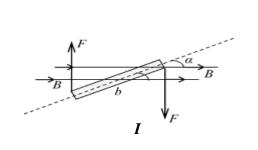
<u>magnetic field</u>.

(b)	earth's magnetic field is	Consider a rectangular coil with its plane
	horizontally into the paper.)	inclined at an angle, a to the magnetic field of
	Coloriate the sector of the	flux density, \boldsymbol{B} , when it is carrying a current, \boldsymbol{I} as
	Calculate the value of this current.	$\xrightarrow{S} \xrightarrow{a} \xrightarrow{B}$ shown
	(Ans. 408.75 A)	below.
		F
		b
		Q ×

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The component, \boldsymbol{B} of the flux density, \boldsymbol{B} , along the plane of the coil is given by,

$B^{I} \square Bcos \square$

Therefore, the force, F on side PQ which is equal to the force on side RS is given by,

$F \square B^I INl$.

Torque, \Box is given by,

 $\Box \Box F \Box b \Box \Box \Box B^{I} INlb$

$\Box \Box \Box Bcos \Box \Box INlb \Box,$

But, $lb \square A$, area of the coil.

$\Box \quad \Box \Box \quad BINAcos \Box.$ NB:

(i) When the plane of the coil is parallel to the flux density, *B* then,

 $\Box \Box 0^{\circ} \Box cos \Box \Box cos 0^{\circ} \Box 1.$

$\Box \quad \Box \Box \quad BINA.$

This is the expression for the **maximum torque** on the coil.

 When the plane of the coil is perpendicular to the flux density, *B* then,

 $\Box\Box 90^{\circ} \Box cos \Box\Box cos 90^{\circ} \Box 0$

$\Box \Box \Box 0 W b A.$

(iii) If the angle between the field of flux density, B and the normal to the plane of the coil is θ then,

Electromagnetic moment (m).

This refers to the torque exerted on a conductor (coil) when it is placed with its plane parallel to a uniform magnetic field of flux density **one** tesla (1T).

 $\square \square m, \text{ when } \square \square_{\text{oo}}^{0} \text{ and } B = 1T. \text{ But } \square$ $BINAcos \square \square m \square NIA.$

NB

Electromagnetic moment is sometimes called *magnetic moment of a current carrying coil* or *magnetic dipole moment* of the coil

NUMERICAL EXAMPLES

 A circular coil of 10 turns each of radius 10 cm is suspended with its plane along a uniform magnetic field of flux density 0.1*T*. Find the initial torque on the coil when a current of 1.0*A* is passed through it.

Solution.

Using *Torque*, **D** *BINAcos*; where

 $\Box \Box 0^{o} \Box cos \Box \Box cos 0 \Box 1$



$\Box \Box 0.1 \Box 1 \Box 10 \Box \pi \Box (10 \Box 10^{\Box} \Box Torque, \Box \Box$

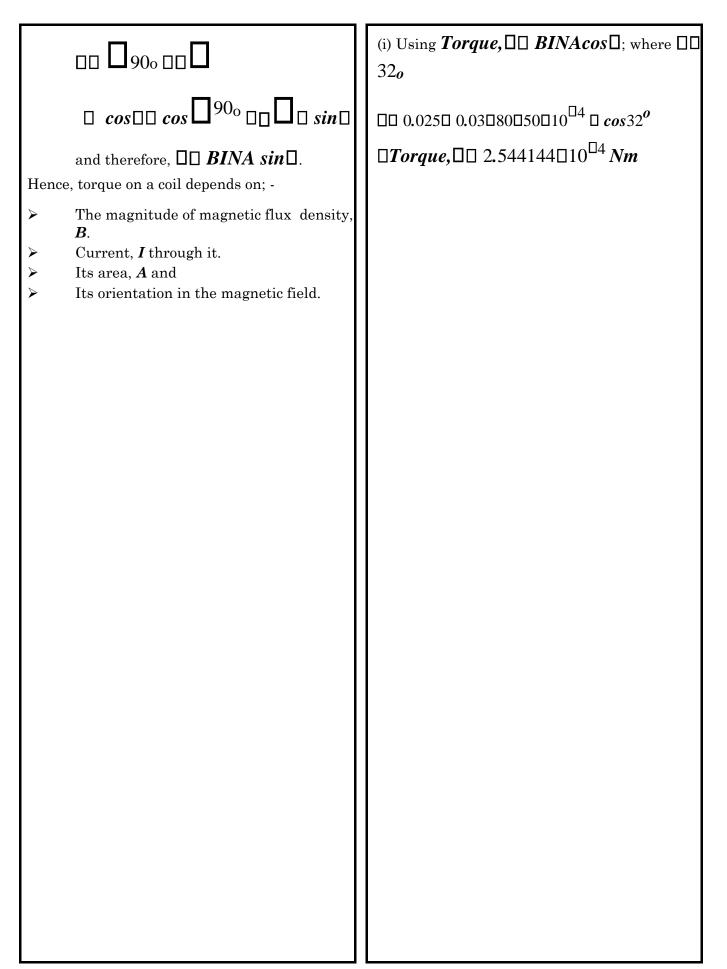
3.141593□10^{□2} Nm

2. A vertical coil of area 50 cm ² has 80 turns. It is placed in a horizontal magnetic field of magnetic flux density

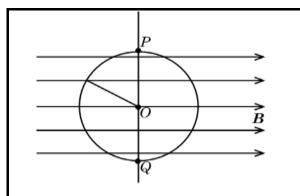
2.5 $\Box 10^{\Box 2}T$ and carries a current of 30 mA. Determine the moment of the couple acting on the coil when the

- plane of the coil makes an angle of 32° with the field.
- (ii) plane of the coil is parallel to the field.
- (iii) normal to the plane of the coil is inclined at an angle of 72° to the field.

Solution



	clockwise direction if the loop is pivoted
(ii) Using <i>Torque</i> , DD <i>BINAcos</i> D ; where	about the axis <i>POQ</i> .
$\Box \Box 0^{o} \Box cos \Box \Box cos 0 \Box 1$	Solution
$\Box \Box 0.025 \Box 0.03 \Box 80 \Box 50 \Box 10^{\Box 4} \Box 1$ $\Box Torque, \Box \Box 3.0 \Box 10^{\Box 4} Nm$	By Fleming's left hand rule, the left hand side of the loop experiences an outward magnetic force and the right hand side experiences an equal inward force. The two forces constitute a couple which creates a rotational motion of the loop about a vertical axis PQ in an anticlockwise direction.
$\Box \Box 90^{o} \Box 72^{o} \Box \Box 18^{o}$	
$\Box \Box 0.025 \Box 0.03 \Box 80 \Box 50 \Box 10^{\Box 4} \qquad \Box cos 18^{o}$	5. A small circular coil of 10 turns
$\Box Torque, \Box \Box 2.853170 \Box 10^{\Box 4} Nm$ 3. A vertical square coil of sides 15 cm has 200 turns and carries a current of 2A. If the coil is placed in a horizontal magnetic field of flux density 0.3T with its plane making an angle of ³⁰ <i>o</i> to the field,	and mean radius 2.5 cm is mounted at the centre of a long solenoid of 750 turns per metre with its axis at right angles to the axis of the solenoid. If the current in the solenoid is 2.0A, calculate the initial torque on the circular coil when a current of $1.0A$ is passed through it.
find the initial torque on the coil.	Solution
Solution	Using <i>Torque</i> , DD <i>BINAcos</i> D ; where
Using <i>Torque</i> , DD <i>BINAcos</i> D ; where	$\Box \Box 0^{o} \Box cos \Box \Box cos 0 \Box 1$
$\Box \Box 0^{o} \Box cos \Box \Box cos 0 \Box 1$	$B \square \square onI /$, where $I / \square 2.0A$
$\Box \Box = 0.025 \Box = 0.03 \Box 80 \Box 50 \Box 10^{\Box 4} = \Box 1$	$\Box \boldsymbol{B} \Box 4\pi \Box 10^{-7} \Box 750 \Box 2$
$\Box Torque, \Box \Box 3.0 \Box 10^{\Box 4} Nm$	$\Box \boldsymbol{B} \Box 1.884956 \Box 10^{\Box 3} \boldsymbol{T}$
(iii) Using <i>Torque</i> , D BINAcos ;	$A \ \Box \pi \Box \ 0.025^2 \ \Box 1.963495 \Box 10^{\Box 3} m^2$ and I
1 5⊟150 .0225 <i>m</i> 2	$\Box 1.0A$
where $A \square$	$\Box \Box 1.884956 \Box 10^{\Box 3} \Box 1 \Box 10 \Box 1.963495 \Box 10^{\Box 3}$
10000	□ <i>Torque</i> ,□□ 3.701102□10 ^{□5} <i>Nm</i>
□□ 0.3□ 2□ 200□ 0.0225□ cos ³⁰ o	6. A circular coil of 20 turns each of radius
	10.0 cm lies on a flat table. The earth's magnetic field intensity at the location of the
□ <i>Torque</i> ,□□2.338269 <i>Nm</i>	



Explain what happens to the loop when the current starts to flow in it in a

(a) magnetic flux threading the coil.

(b) torque on the coil if a current of 2.0*A* is passed through it.

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Solution

(a) Flux $\Box \Box AB sin 67.0^{\circ}$, where B

 $\Box \Box oH \Box 4\pi \Box 10^{-7} \Box 43.8$

 $\Box B \Box 5.504070 \Box 10^{-5} T$,

 $A \square \pi \square 0.1^2 \square 3.141593 \square 10^{\square 2} m^2$ and

 67.0^{o} is the angle between the resultant field and the plane of the coil.

 $\Box \Box 0.03141593 \Box 5.50407 \Box 10^{\Box 5} \Box sin 67.0^{o}$

 $\Box \Box \Box 1.591695 \Box 10^{\Box 6} Tm^2$

(b) Using *Torque*, $\Box \Box BINAcos \Box$; where $\Box \Box$

67. 0_0 and $I \square 2.0A$

 \Box 5.50407 \Box 10^{\Box 5} \Box 2 \Box 20

 $\Box 3.141593 \Box 10^{\Box 2} \Box sin 67^{o}$

 $\Box Torque, \Box \Box 2.702538 \Box 10^{\Box 5} Nm$ <u>Trial questions</u>

1. A vertical rectangular coil is suspended from the middle of is upper side with its plane parallel to the uniform horizontal magnetic field of 0.06T. the coil has 50 turns and the length of its vertical and horizontal sides are 4cm and 5cm respectively. Find the torque on the coil when the current of 4A is passed through it. (*Ans* 0.024Nm)

3. A circular coil of 20 turns each of radius 10 cm is suspended with its plane along uniform magnetic field of flux density 0.5T. find the initial torque on the coil when a current of 1.5 A is passed through it. (*Ans* 0.471239Nm)

4. A vertical square coil of sides 25 cm has 100 turns and carries a current of 1*A*.

The moving coil galvanometer.

Construction

It consists of a rectangular coil of fine insulated copper wire suspended in a strong magnetic field provided by curved pole pieces of a strong magnet.

The coil is wound on an aluminium frame (former) to make it rest quickly when deflected due to electromagnetic damping due to eddy currents in the former.

A soft iron cylinder between the curved pole pieces of a permanent magnet is used to provide a radial field so that the field lines are always parallel to the plane of the coil whatever the deflection.

This means that the magnetic flux density is interacting with the coil is constant and forces on the vertical sides of the coil are always perpendicular to the plane of the coil and the deflection torque has a maximum value for all positions.

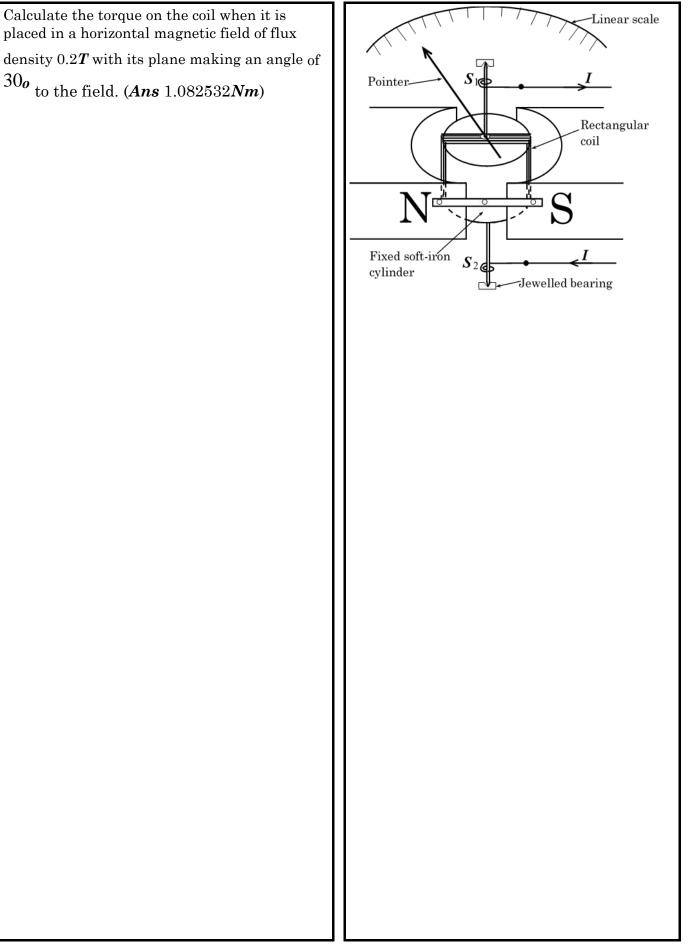
The coil is pivoted on jewelled bearings to reduce friction.

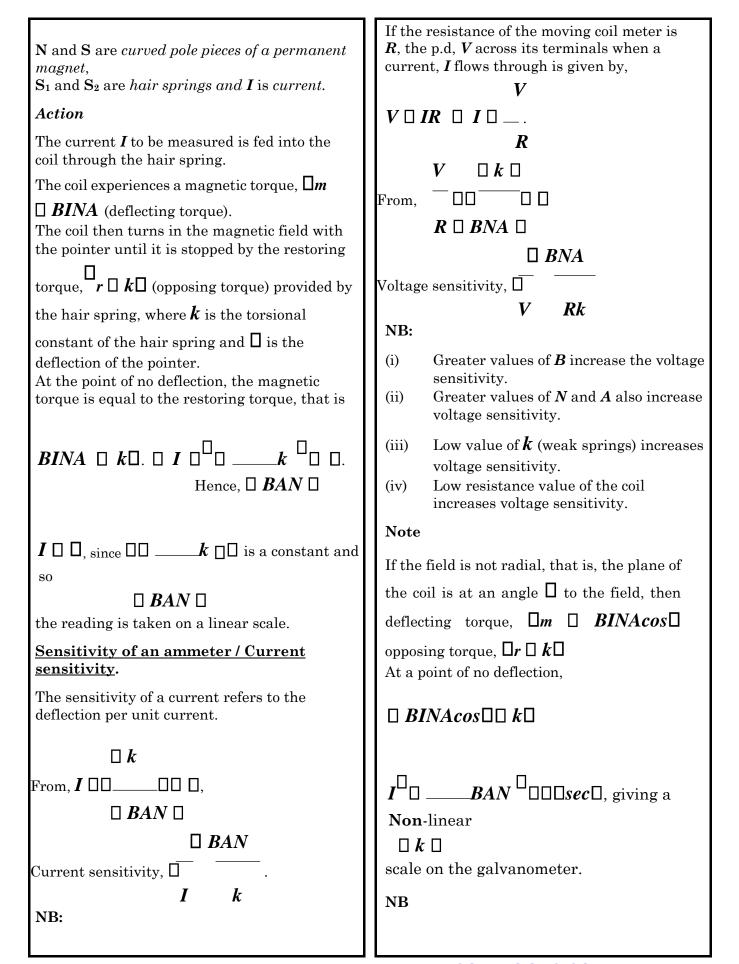
The current is led in and out through the hair-springs which then control the coil rotation hence the pointer by providing a restoring couple.

NB:

The magnetic field is made radial so as to provide a linear scale in which the plane of the coil in all position remains parallel to the direction of the magnetic field. **Diagram**.







- (i) Greater values of **B** increase current sensitivity.
- (ii) Low value of \boldsymbol{k} (weak springs) increases current sensitivity.
- (iii) Greater values of *N* and *A* also increase current sensitivity.

<u>Sensitivity of a voltmeter / Voltage</u> <u>sensitivity</u>.

This is the deflection per unit potential difference.

Voltage sensitivity \Box ____, where \Box is the V

deflection produced by a p.d, V.

Advantages of a moving coil galvanometer.

- (i) Since the scale is uniform, the calibration can be made uniform and subdivisions read accurately.
- (ii) It has a linear scale because of the uniform field provided by the radial field.
- (iii) It can be made to measure different ranges of current and potential difference.

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(iv) External field around the galvanometer has no influence because the magnetic field between the magnets and the soft iron is very strong.

Disadvantage of a moving coil galvanometer.

- ✓ If it is insensitive, it gives inaccurate results.
- ✓ It can not measure alternating current (A.C).
- ✓ It can be damped by overloading and so, the springs burn out.

NUMERICAL EXAMPLES

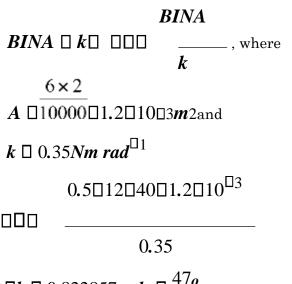
1. A rectangular coil of 100 turns is suspended in uniform magnetic field of flux density 0.02T with the plane of the coil parallel to the field. The coil is 3 cm high and 2 cm wide. If a current of 50A through the coil causes a deflection 30o, calculate the torsional constant of the suspension.

Solution At equilibrium (Point of no

deflection),

 $BINA \square k \square \square k \square \square m, \text{ where}$ \square $\square \square 30o \square 30\pi \square \pi rads \text{ and}$ $\square \square 2 \square$ $6.0 \square 10 \square 4m2$ 3 10000 0.02 $\square k \square \square \square 50 \square 100 \square 6.0 \square 10^{\square 4}$

Solution At equilibrium (Point of no deflection),



 $\Box k \Box 0.822857 rads \Box \frac{47_o}{1}.$ <u>Trial questions</u>

1. The rectangular coil of a moving coil galvanometer of 100 turns is suspended in a uniform magnetic field of flux density 0.02T with the plane of the coil parallel to the field. The coil is 6 cm by 2cm. When a current of 50 μ A is passed through the coil, the deflection of the point goes

through 30o . Calculate the torsional constant of the suspension. (Ans 2.2918311 \square 10 \square 7 Nm rad \square 1)

2. The coil in a certain galvanometer is rectangular with sides 4 cm by 3 cm and with 150 turns. Calculate the initial deflecting moment of a couple due to the current of 4mA if the magnetic flux density is 0.02T.

 $(Ans \ 1.440 \Box 10^{\Box 5} Nm)$

3. The moving coil galvanometer has the following parameters. $N \Box 180 turns$,

 $A \square 80^{mm_2}$, $B \square 0.2T$, $R \square 120\Omega$,

and $\mathbf{k} \ \Box 15 \Box 10^{\Box 9} \ \mathbf{Nm} \ \mathbf{rad}^{\Box 1}$. Calculate the angular deflection in degrees, produced by

 $\frac{\pi}{6}$

 $\Box k \Box 0.114592 Nm rad^{\Box 1}$

2. A moving coil galvanometer has a rectangular coil of 6cm by 2 cm and 40 turns. It is suspended with its longer side vertical in a radial magnetic field of flux density 0.5T by means of glass fibre which produces a restoring torque of

0.35*Nm rad* ^{\Box 1}. What is the deflection produced when a current of 12*A* passes through it?

(i) a current of 0.01 mA.

(**Ans** ¹¹⁰*o*) a P.D of 0.05*mV*.

(ii)

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CONVERSION OF A GALVANOMETER TO AN AMMETER OR VOLTMETER.

The deflection of the pointer on a moving coil galvanometer depends on the current flowing through the coil.

The current that produces full deflection is called

full scale deflection current, ^If.

The coil offers some resistance, r, to the flow of current through it due to its length. This does not change as current flows through the meter.

The *full scale deflection voltage*, V f is given

by Vf \Box If \Box r

Example

A meter has a full scale deflection voltage of $100 \ mV$ and full scale deflection current of $10 \ mA$. What is the meter resistance?

Solution

 $V_{\rm f} \square I_{\rm f} \square r;$ where

 $V_{\rm f} \Box 100 m V \Box 0.1 V, I_{\rm f} \Box 10 m A \Box 0.01 A$

$\Box 0.1\Box 0.01\Box r \Box r \Box 10\Omega.$

(i) Conversion of a galvanometer to an ammeter (Use of shunts)

An ammeter is constructed in such a way that it has a very low resistance so that a large current passes through it.

To convert a galvanometer into an ammeter, a low resistance called a shunt is connected in parallel with it.

In this case, only maximum current *full scale*

deflection current, I f flows through the

meter and the rest of the current by-passes the meter through the shunt.

If \boldsymbol{I} is the maximum current to be measured,

 $I_{\text{s is the current through the shunt and }}I_{\text{f is the}}$

full scale deflection current, then

 $I_{s} \square \square I \square I_{f} \square$

P.d across the shunt□P.d across the galvanometer

 $\Box \quad \Box I \Box I_{\rm f} \Box \Box R_{\rm s} \Box I_{\rm f} \Box r$

Where, **R** s is the shunt resistance which small

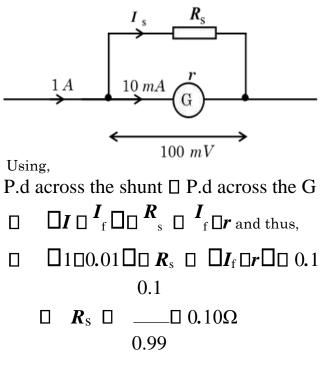
such that most of the current pass through it and only a small current pass through the galvanometer.

Examples:

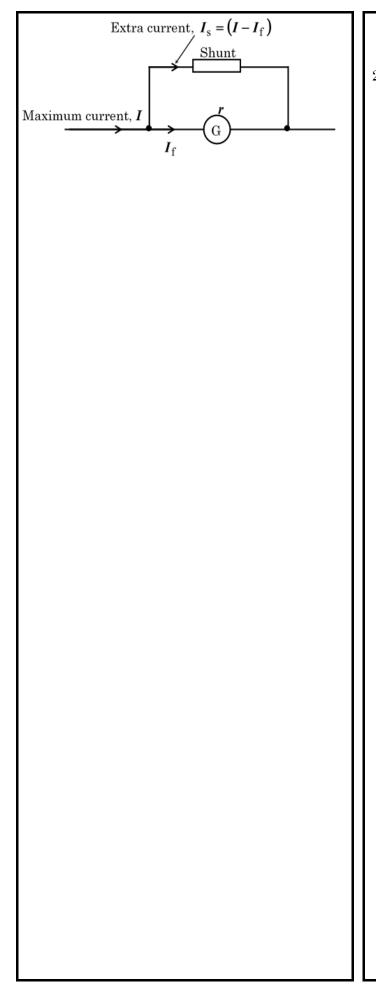
1. A 0-10 mA meter has a full-scale deflection when the potential difference across it is 100 mV. How would you adapt the meter to read 01A?

Solution

In this case, we need to calculate the value of R that can make it possible



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Thus, we must connect a shunt resistance of $0.10 \ \Omega$ across the meter.

2. A moving coil galvanometer has a resistance of 5Ω and gives a full deflection of 15mA. How can it be converted into an ammeter to measure a maximum of 3A?

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Solution

In this case, we need to calculate the value of

R s that can make it possible

of 15A?

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4. A moving coil galvanometer gives a full scale deflection of 6mA and has a

resistance of 4Ω . How can such

instrument be converted into an ammeter giving a full-scale deflection

Solution

In this case, we need to calculate the value of

Rs that can make it possible

Using,

P.d across the shunt \Box P.d across the galvanometer

 $\Box I \Box \stackrel{I}{\underset{f}{}} \Box \Box \stackrel{R}{\underset{s}{}} \Box \stackrel{I}{\underset{f}{}} \Box r$ Π and thus.

 \Box 3 \Box 0.015 \Box \Box R_{s} \Box Π

$\Box 0.015\Box 5\Box$

0.075

$\Box 0.02513\Omega$ $R_{\rm s}$ Π 2.985

Thus, we must connect a shunt resistance of $0.02513 \ \Omega$ across the meter.

3. A moving coil galvanometer gives a full scale deflection of 4mA and has a resistance of 5Ω . How can such instrument be converted into an ammeter giving a full-scale deflection of 10A?

Solution

In this case, we need to calculate the value of

R s that can make it possible

$$\begin{bmatrix} & & & & & & & & \\ & & & & & & & \\ & & &$$

Using.

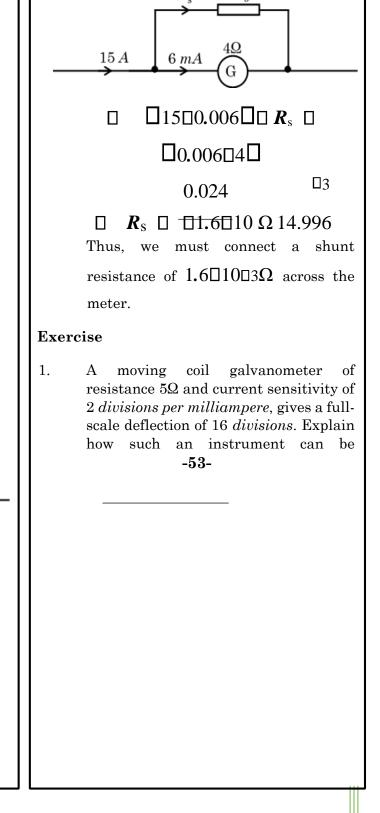
P.d across the shunt \Box P.d across the galvanometer

 $\Box_{I} \Box_{f}^{I} \Box \Box_{s}^{R} \Box_{f}^{I} \Box_{r}^{R}$ Π and

thus,

Using,

P.d across the shunt \Box P.d across the galvanometer



converted into an ammeter reading up to 20A (*Current sensitivity*

)

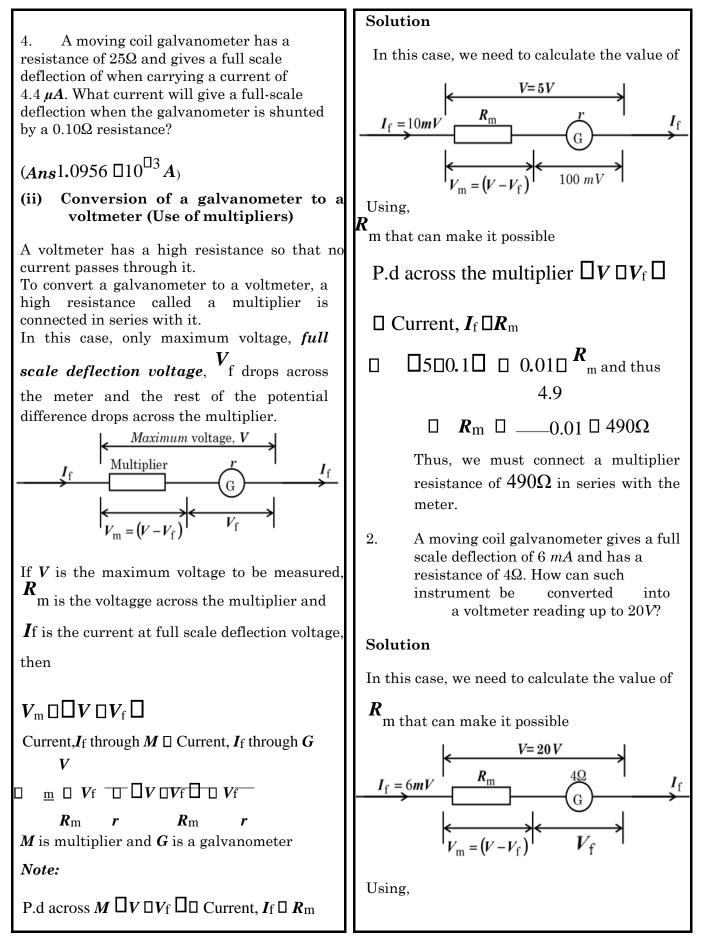
Number of divisios

3.

Current

- 2. A moving coil galvanometer, has a coil of resistance 4Ω and gives a full scale deflection when a current of 25 mA passes through it. Calculate the value of the resistance required to convert it to an ammeter which reads 15A at full scale deflection.
 - A galvanometer has a resistance of 5Ω and range 0-40 mA. Find the resistance of the resistor which must be connected in parallel with the galvanometer if a maximum current of 10A is to be measured.

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P.d across G $V_f \square$ Current, $I_f \square r$ Examples

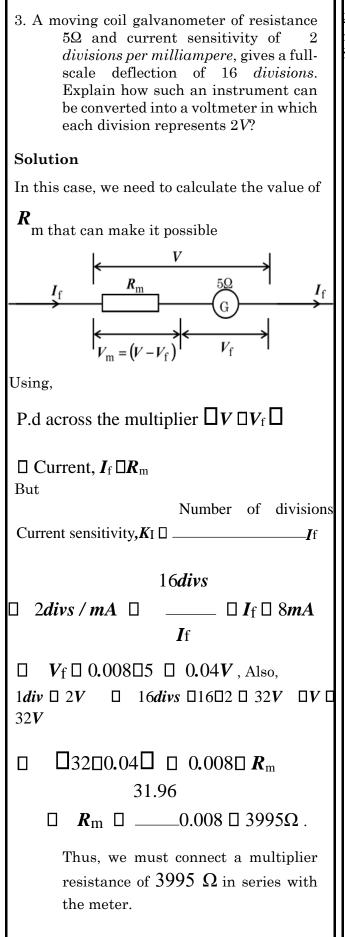
1. A 0-10 mA meter has a full-scale deflection when the potential difference across it is 100 mV. How would you adapt the meter to read 05V? P.d across M, $\Box V \Box V_f \Box \Box$ Current, $I_f \Box R_m$

But, $V_{\rm f} \square 0.006 \square 4 \square 0.024 V$

$\square \square 20 \square 0.024 \square \square 0.006 \square \mathbf{R}_{m}$ $\underline{19.976}$

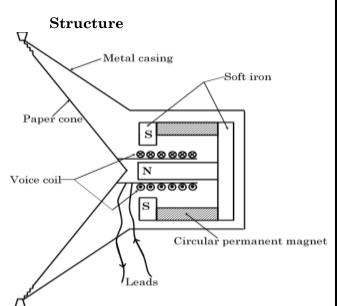
 $\square R_m \square 0.006 \square 3329.33\Omega$. Thus, we must connect a multiplier resistance of 3329.33Ω in series with the meter.

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3. A galvanometer of resistance 12Ω reads 200 *mA* at full-scale deflection. what resistance must be connected in series with it in order to read 3*V*.

The Moving coil loud speaker.



Action

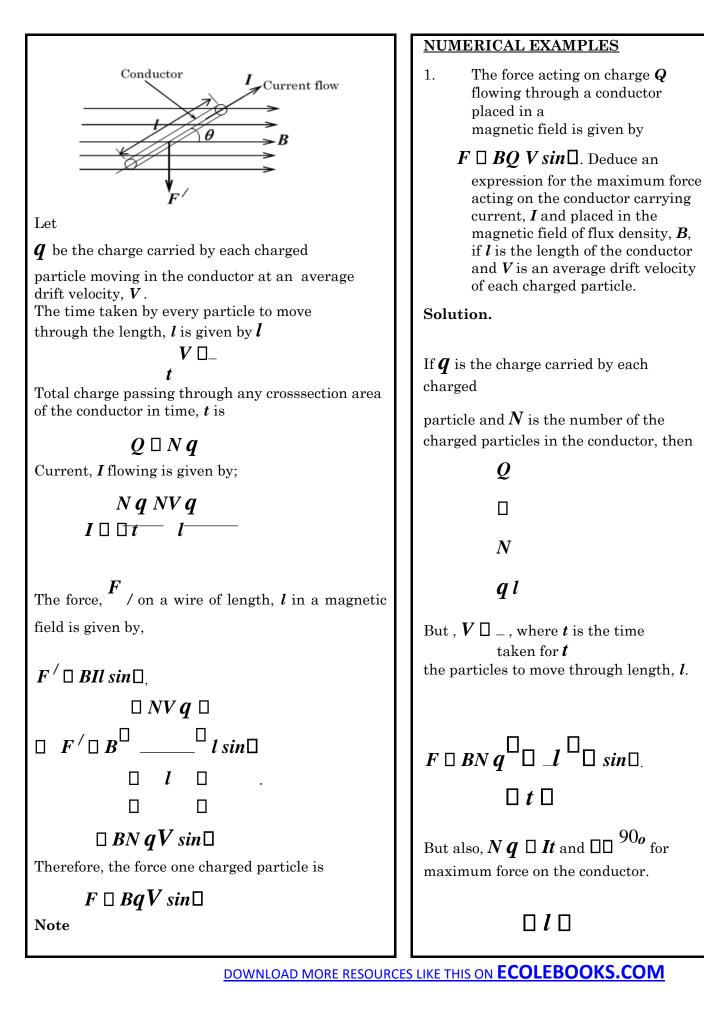
- ✓ An alternating (varying) current from an amplifier flows through the voice coil and produces a changing magnetic field around it. The coil is in the magnetic field of the circular permanent magnet.
- ✓ The interaction of the two magnetic fields sets up a varying force on the voice coil according to Fleming's left hand rule.
- ✓ The varying force therefore in turn causes the vibration of the voice coil.
- ✓ The paper cone to which the voice coil is connected is also set into vibrations.
- ✓ This causes the air molecules around the paper cone also to vibrate, hence producing a sound of the same pattern as the original electrical signal sent into the coil.

✓

Force on charges moving in a magnetic field.

Consider a conducting wire of length, l, containing N charged particles placed in a uniform magnetic field of flux density, B as shown below.

Exerc	vise	
1.	A galvanometer of reads $0.05A$ at full scale deflection and has resistance of 2.0Ω . Calculate the resistance that should be connected in series with it to convert it to a voltmeter which reads 15V at full scale deflection.	
2.	A galvanometer of internal resistance100 Ω gives full-scale deflection of 10 mA. Calculate the value of the resistance necessary to convert it to voltmeter reading up to 5V.	

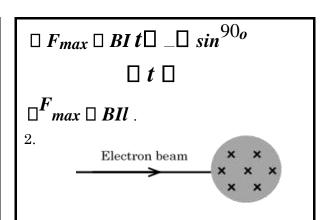


(i) **Generally,** the expression of the magnetic force on a charge, Q moving in a conductor inclined at an angle, θ to the uniform field of flux density, B is given by,

$F \square BQ v sin \square$.

(ii) If the charge is moving perpendicular to the magnetic field of flux density, B, $\Box \Box$ O_{o} then, the magnetic force is,

 $F \Box BQ v_{.}$



(a) The figure above shows a beam of electrons accelerated by a potential difference, V, travelling in an evacuated tube. A magnetic field acts at right angles to their direction of motion in the shaded region and into the plane of the paper. Copy the diagram and complete the path of the electrons

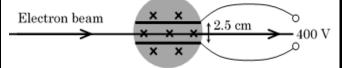
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in the shaded region and explain why the electron beam takes the indicated path.

(b) A pair of conducting plates, 2.5 cm apart, has been introduced into the shaded region.



A p.d is applied to the plates and gradually increased until it reaches 400V when the path of the electrons is a straight line.

- (i) Indicate the polarity of the plates and briefly explain why the plates bear the polarities indicated.
- (ii) Determine the electric field strength in the region between the plates
- (iii) Calculate the force on an electron due to this field.

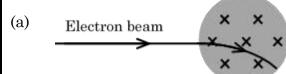
(c) The magnetic flux density in the shaded

region is $1.0\Box 10\Box 3T$.

Calculate the

- (i) speed of the electrons for them to move straight through the field.
- (ii) p.d required to accelerate the electrons at this speed.

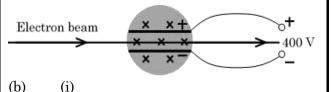
Solution.



An electron moves in a conductor in the direction opposite to that of current. The current therefore is flowing to the left hand side. According to Fleming's left hand rule, the force acts on the beam downwards, making it to bend downward but in a circular path since the beam possesses kinetic energy.

NOTE

When the electrons exit the magnetic field, they move in a straight line which is tangential to the circular path at the point of exit



Since the electrons carry a negative charge, then for them to be deflected upwards, then a positive potential must be applied to the upper plate and a negative charge to the lower plate.

(ii) Using
$$E \square_d$$

400

$$\Box E \Box = - \Box 1.6 \Box 10^4 Vm^{\Box 1}.$$

2.5 \Box 10^{\Box 2}

 $F \square eE$

$$\Box \mathbf{F} \Box 1.6 \Box 10^{\Box 19} \Box 1.6 \Box 10^4 \mathbf{Vm}^{\Box 1}$$

 $\Box \boldsymbol{F} \Box 2.56 \Box 10^{\Box 15} \boldsymbol{N}$

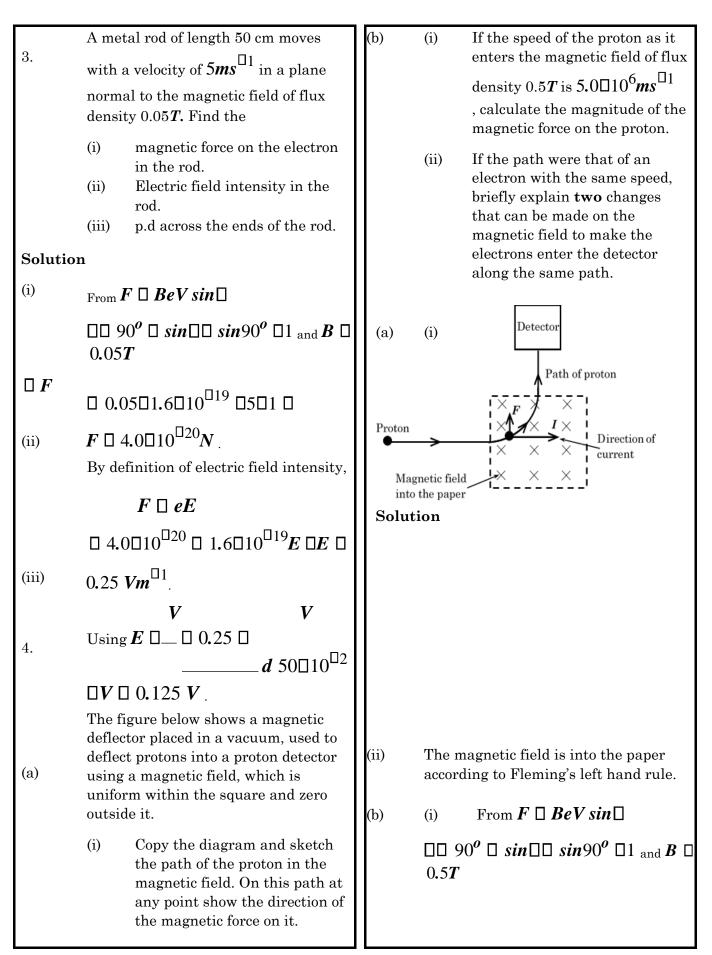
- (c) (i) From $F \square BeV sin \square$ $\square 90^{\circ} \square sin \square sin 90^{\circ} \square 1_{and} B$ $\square 1.0 \square 10^{\square 3}T$
- $\Box 2.56\Box 10^{\Box 15} \Box 1\Box 10^{\Box 3} \Box 1.6\Box 10^{\Box 19} V$

 $\Box \quad V_e \ \Box 1.6 \Box 10^7 m s^{\Box 1}.$

(ii) Electrical work = Kinetic energyof done on the the electronelectron by the field

$$\Box eV \Box _meVe2$$

□1.6□10□19V □
9.110100310 1.60107 2 2 0
$V \Box 728.8 V$

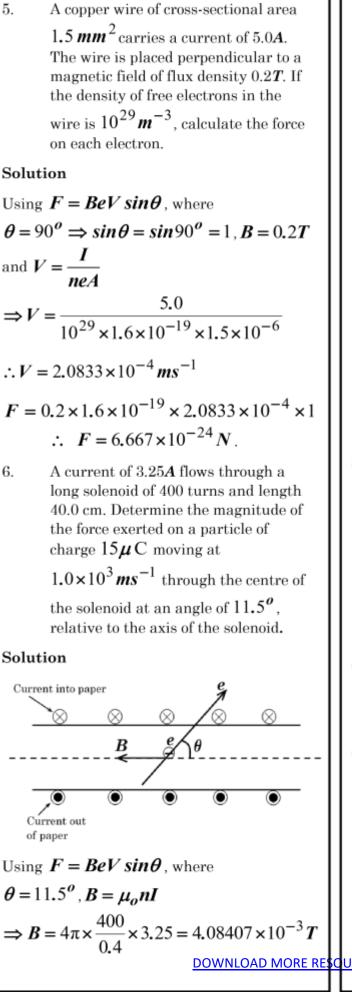


(ii)	State the direction of the
	magnetic field causing the
	motion of the proton.

$\Box F \Box 0.5 \Box 1.6 \Box 10^{\Box 19} \Box 5 \Box 10^{6} \Box 1 \Box F$ $\Box 4.0 \Box 10^{\Box 13} N.$

(ii) The size of the flux density must be reduced since an electron is less massive than a proton and so, it undergoes a short horizontal deflection.

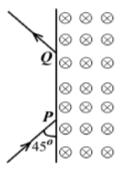
The direction of the magnetic field should be in such a way that it is out of the paper for the electron to be deflected upwards according to the motor rule since the current will be flowing to the left.

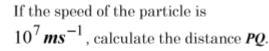


 $F = 0.00408407 (15 \times 10^{-6} \times 10^{3}) sin 11.5^{\circ}$ $\therefore F = 1.221349 \times 10^{-5} N.$

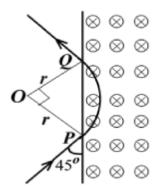
7. A charged particle of mass $1.4 \times 10^{27} kg$ and charge

 $1.6 \times 10^{-19} C$, enters a region of a uniform magnetic field of flux density 0.2T at point P and emerges at point Q as shown below.





Solution



The magnetic force on the particle provides the necessary centripetal force that makes the particle to describe a circular path in the magnetic field.

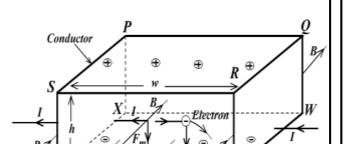
Thus,

$$F = BeV = \frac{mV^2}{r} \Rightarrow r = \frac{mV}{Be}$$
$$\Rightarrow r = \frac{1.4 \times 10^{-27} \times 10^7}{0.2 \times 1.6 \times 10^{-19}} = 0.4375m$$
$$\Rightarrow PQ = \sqrt{0.4375^2 + 0.4375^2}$$
$$\therefore PQ = 0.6187m$$

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Trial question

1. An electron beam moving with velocity of 100m/s passes through a uniform magnetic field of flux density 0.04T which is perpendicular to the direction of the beam. Calculate the fore on each electron. (Ans $6.4\Box 10^{\Box 19}N$) 2. Determine the force on an electron that enters a uniform magnetic field of flux density 150 *m T* at a velocity of 8.0 $\Box 10^6 m s^{\Box 1}$ at an angle of 90*o* (i) 0.0 to the field. (ii) 3. Electrons in a vertical wire move upwards at a speed of $2.5\Box 103ms\Box 1$ into a uniform horizontal magnetic field of magnetic flux density 95 m T. The field is directed along a line from south to north as shown in Figure below. Calculate the force on each electron and determine its direction. Direction of motion of an electron х × x Magnetic field directed into the paper Hall effect × х This refers to the production of a p. d across an electrical conductor, transverse to an electric current in the conductor and to an applied magnetic field perpendicular to the current. Explanation of its occurrence.



When current flows through the conductor *PQRSTVWX* from face *QRVW* towards face *PSTX*, the electrons (charge carriers) in the conductor move in the opposite direction.

When a magnetic field, B is applied to the conductor from face RSTV towards face PQWX (say at right angles to the conductor)

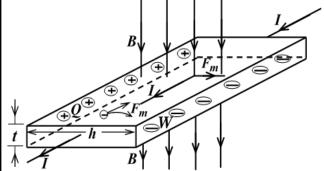
a force, $F \square BeV$ acts on the electron downwards towards the lower face, TVWXaccording to Fleming's left hand rule.

Therefore, the lower face gains a negative charge, leaving the upper face with a positive charge and so a p.d is created between the lower and upper face.

A large p.d, hence a large electric field builds up between the faces, preventing a further increase of charges on the faces. This maximum p.d is known as <u>Hall voltage</u> and the effect is called <u>Hall effect</u>.

<u>Derivation of hall voltage</u>, $(V_{\underline{H}})$

Consider a current, *I* flowing through a conductor placed horizontally at right angles to the magnetic field of flux density, *B*. Electrons (charge carriers flow through it in the opposite direction).

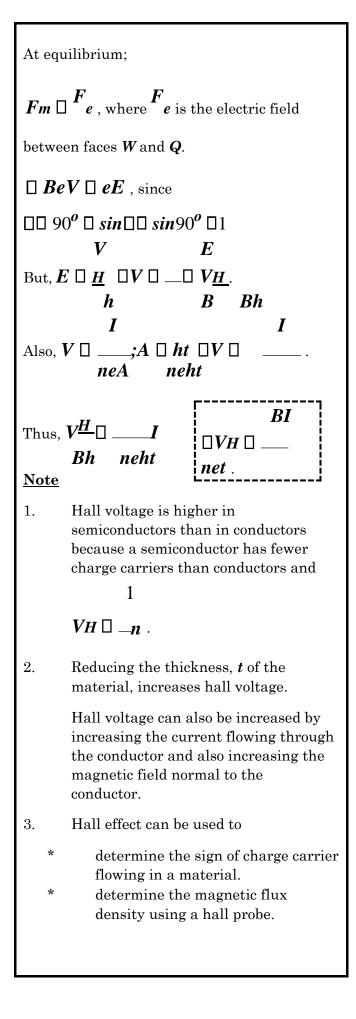


According to Fleming's left hand rule, a magnetic force, F_m acts on the negative charge carriers and push them to face W,

leaving positive charges on face, Q. An electric field that builds up between faces W and Q opposes the further separation of the charge carriers. A maximum p.d called hall voltage, V_H , is set up across the two faces.

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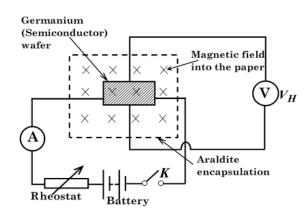
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- The plate to which the charge carriers are pushed by the magnetic field, gain the charge of similar sign to the that on the charge carriers.
- * The sign of charge is determined using a charged gold leaf electroscope.
- If the electroscope is positively charged and on connecting the plate the brass cap the deflection of the leaf increases, then the charge carriers bear a positive sign.
- If the electroscope is negatively charged and on connecting the plate the brass cap the deflection of the leaf increases, then the charge carriers bear a negative sign.

*

Determination of magnetic flux density



at a point using hall effect.

Switch, *K* is closed and the rheostat is adjusted such that a suitable current, *I* flows through the wafer between its opposite faces.

The current is noted from an ammeter of full scale deflection of 1A.

Determination of sign of charge carriers	A magnetic field whose flux density, \boldsymbol{B} is to
<u>in a conductor using hall effect.</u>	be determined is applied on the wafer with
* Current is passed through the material in a known direction and a magnetic field whose direction is also known is applied to the conductor at right angles to the direction of current.	the wafer suitably at right angles to the field. A hall voltage V_H is set up transversely across the wafer is noted from a high impedance voltage, V connected across the
* The direction of the magnetic force on the charge carriers is then determined using Fleming's left hand rule.	wafer. From the theory of hall voltage, the flux density, B is calculated form net $B \qquad VH, where the valuenet is I provided by the manufacturer of the wafer.$

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NB	The Araldite encapsulation prevents
ND	the connecting wires from being
1.	detached from the wafer.

Other applications of hall effect include; -

2.

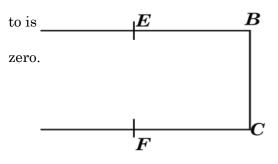
Magnetic field sensing equipment. Multiplier applications to provide

- actual multiplications. Hall Effect Tong Tester for measurement of
- direct current. Phase angle
- measurement, such as in measuring angular position of the crank shaft to accurately align with the firing angle
- accurately angle with the ming angle of the spark plugs Linear or Angular displacement transducers, such as to identify the position of the car seats and seat belts and act as an interlock
- for air-bag control.
 For detecting wheel speed and accordingly assist anti-lock braking system (*ABS*).

MERICAL EXAMPLES

ABCD is a plane rectangular strip of ducting material of uniform, with a ady current flowing uniformly from *AD*

- N ady current flowing uniformly from AD 3C. The p.d across EF, where E and F
- 1. (a) mid-points of *AB* and *CD* respectively



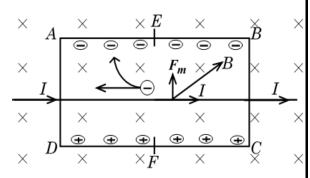
en a magnetic field is set up at right les to ABCD, into the plane of the of figure, a small, steady p.d appears ween E and F. Explain these ervations.

If the strip is made of copper, of

 $9\Box 10^{3} kgm^{\Box 3}$, relative atomic

applied magnetic field of flux density 1.67*T*, the p.d across *EF* is found to be $1\mu V$, *F* being at a positive potential with respect to *E*, find the:

- (i) drift velocity of the current carriers in the strip.
- (ii) number of charge carriers per volume in the copper and the sign of their charge.



Solution

(a)

When current flows from AD to BC, electrons flow in the opposite direction. When a magnetic field is applied at right angles to the strip, a magnetic force, F_m is set up in the strip and push the electrons to the side of E, leaving positive charges on the side of F and this creates an electric field between E and F, hence the appearance of a p.d across EF.

(b) (i) Drift velocity,
$$V \square$$
 ____, where B

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(b) 3, with thickness 1 mm, breadth density , carrying current of 10 A and with an	<i>E</i> □ <i>V<u>H</u> □ 10□10□6 □</i>		
density, carrying current of 10 H and with an	5.0□10□5 <i>Vm</i> □1 <i>h</i> 20□3		
20			
	<u>-5.0□10□52</u> .994012 <i>ms</i> □1.		
	Thus, $V \square$ \square		
	1.67		
	net BI		
	(ii) $B \square VH \square n \square etVH$ I		
	$\square n \qquad \frac{1.67 \times 10}{6 \times 10^{-19} \times 1.0 \times 10^{-3} \times 1.0 \times 10^{-6}}$		
	1. 20		
	$\Box n \Box 1.04375 \Box 10^{29} m^{\Box 3}.$		
	The charge carriers have a negative sign since F is at a positive potential relative to		
	<i>E</i> .		

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2. A metallic strip of width 2.5 cm and thickness 0.5 cm carries a current of 10A. When a magnetic is applied normally to the broad side of the strip, a hall voltage of 2mV develops. Find the magnetic flux density if the conduction electron density is

6**.**0□1028*m*□3.

Solution

netVH

Ι

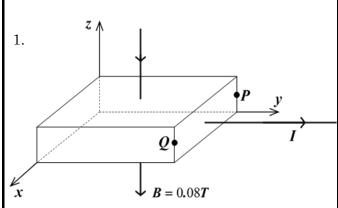
Using B

П

6.0

B \square $\square 10^{28} \square 1.6 \square 10^{\square 19} \square 0.005 \square 0.002$

B □ 9600**T**



10

<u>Trial questions</u>

A magnetic flux density of 0.08T is applied normally to a metal strip carrying current, I as shown above. the hall voltage is 4.27μ V, calculate the drift velocity of the electrons in the strip and volume charge density of the carriers in the

strip. (Ans, V 🛛 1.7791667 🗖 10 🗆 5 ms 🗆 1,

$n \Box 1.463700 \Box 10^{28} m^{\Box 3})$

Force between two wires carrying currents.

When two wires carrying currents either in the same direction or opposite directions, they exert a magnetic force on each other.

The force between the wires can be repulsive or attractive force depending on the direction of the currents in the wires.

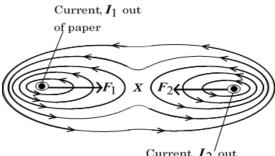
The force experienced is because each wire is placed in the magnetic field of the other.

NB

A wire placed in the earth's magnetic force also experiences the same kind of force on it.

<u>Wires currying currents in the same</u> <u>direction.</u>

Two straight conductors (wires) carrying currents, I_1 and I_2 , out of the paper. The resulting field pattern is as shown below.



Current, I_2' out of paper

The force on each wire acts from the region of strong field to a region of a weak field. Thus, two straight parallel wires carrying current in the same direction attract each other.

X is a magnetic neutral point. At this point, the magnetic flux cancels out and the magnetic flux density is equal to zero and so, no magnetic force is experienced at this point.

- (a) Account for the occurrence of a p.d between points *P* and *Q*.
- (b) Calculate the electric field intensity between P and Q if the drift velocity of the conduction electrons is

4.0□10□4*ms*□1

2. A certain semi-conductor which is rectangular in shape with thickness of 1 mm is held in a uniform magnetic field parallel to the thickness of the semi-conductor. The magnetic flux density is 0.4T. If the current passed through it is 2A, the voltage developed is 0.28mV. Calculate the number of electrons per unit volume of the semi-conductor.

(*Ans* 1.785714 □1025*m*□3)

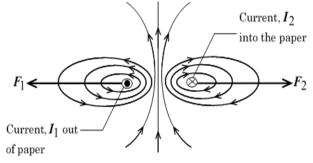
3. A metal strip 120 mm wide and 0.4 mm thick carries a current of 2A at right angles to a uniform magnetic field of 2T. If

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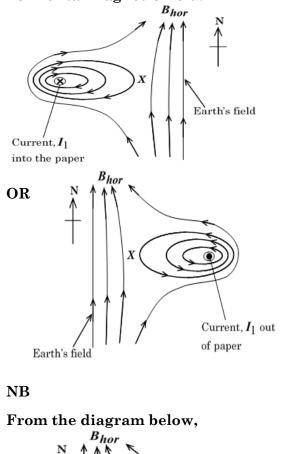
<u>Wires currying currents in the opposite</u> <u>directions.</u>

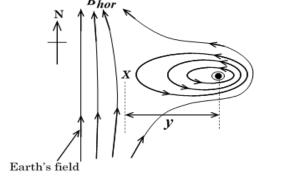
If the directions of currents I_1 and I_2 , are opposite, the resultant magnetic field pattern is as shown below.



Thus, two parallel wires carrying currents in opposite directions repel each other.

Wire carrying current in the earth's horizontal magnetic field.





At point *X* (neutral point), **Bhor** \Box **B**1, where, **B**1 \Box 2*o* π **I***y*1 \Box Bhor \Box 2<u>o</u> π Iy<u>1</u> \Box y \Box 2 \Box π BohorI1 Thus, if the horizontal component, B_{hor} is known, the position, y of the neutral point from the wire can be obtained. **Derivation of expression of the force** between currents. Consider two parallel wires carrying currents I_1 and I_2 separated by a distance, a as shown below. The magnitude of the magnetic flux density **□**o**I**1. at *C* due to *I* lis given by, $B1\square 2\pi a$ Thus, the force on *C* is given by, Hence, force per unit length on *C* is $F \Box$ $F_{l} \stackrel{2}{=} I_{\pi 1} a I_{\pi 1} a I_{\pi 2}$. 2 Similarly;

The magnitude of the magnetic flux density

 $\Box_{\underline{O}}^{I}\underline{2}$ at *A* due to *I*₂ is given by, *B*₂ \Box 2 π *a*. Thus, the force on *A* is given by,

 $F_{1} \square B_{2}I_{1}I \square F_{1} \square \square 2 I_{\pi 1}Ia_{2}I$. Hence,

 $F^{\underline{1}}$ and

force per unit length on A is $F1 \square l$ $F1 \square \square 02 I\pi 1 al 2$. therefore,

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Thus, when $I_1 \square I_2 \square 1A$ and a = 1 m in a

vacuum then,

4 π 🗆 10-7 🗆 1 🗆 12.0 🗆 10 🗆 7 *Nm* 🗆 1

F1 🛛

2π□1 □

Also, $F1 \square 2.0 \square 10^{\square 7} Nm^{\square 1}$

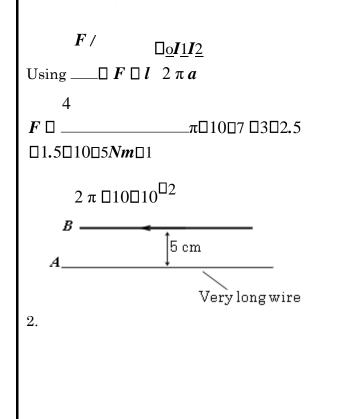
Definition;

An **Ampere** refers to a steady current which when maintained in each of two straight parallel conductors of infinite length and negligible cross-sectional area separated by **1 m** length in vacuum produces between the conductors a force of $2.0\Box 10\Box 7 Nm\Box 1$ length of each.

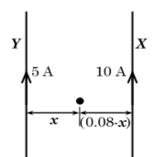
NUMERICAL EXAMPLES

1. Two long parallel wires 10 cm apart are carrying currents of 3.0 A and 2.5 A in the same direction in vacuum. Find the force per unit length between the wires. (**Ans.**

 $1.5\Box 10^{\Box 5} Nm^{\Box 1}$). Solution

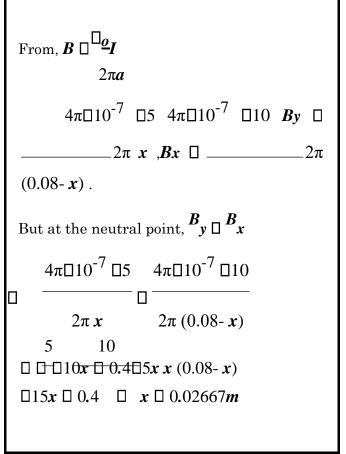


3. Two long parallel wires X and Y are separated by 8 cm in a vacuum. The wires carry current of 10 A and 5 A respectively in the same direction. At what point between the wires is the magnetic flux density zero?



Solution

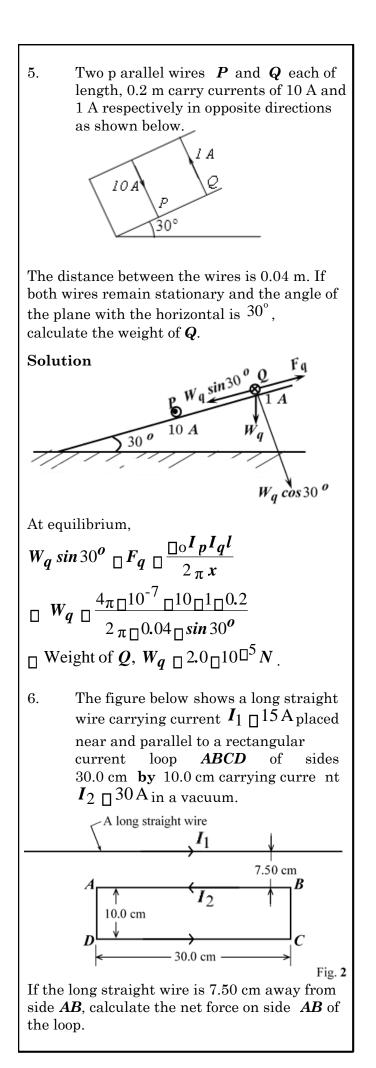
Let the point be a distance \mathbf{x} m from \mathbf{Y} then (0.08- \mathbf{x}) m from \mathbf{X} .



The diagram above shows two straight parallel wires A and B placed 5 cm apart and carrying currents of 1.5 A and 2.0 A respectively in opposite directions. If wire B is 15 cm long, find the magnitude of force acting on it. Solution	4. P 10 A Verylong wire Q 10 cm Q 10 cm The figure above shows two parallel wires P and Q placed 1 cm apart and carrying currents of 10 A and 20 A respectively in the same direction. If wire Q is 10 cm long, find the force acting on Q . (Ans. 4.0 \Box 10 ^{\Box4} Nm ⁻¹).
$4\pi \Box 10^{\Box 7} \Box 1.5 \Box 2.0 \Box 15 \Box 10^{\Box 2}$	$\Box_{oI pIql}$
$\Box Fb \Box \qquad 2 \pi \Box 5 \Box 10 \Box 2$	Using $Fq \square _ 2 \pi x$
$\Box Fb \ \Box 1.8 \Box 10^{\Box 6} Nm^{\Box 1}.$	$4\pi\Box 10^{\Box 7} \Box 10\Box 20\Box 10\Box 10^{\Box 2}$ $\Box Fq \Box \qquad \Box 2$
	2 π 🗆 1 🗆 10
	$\Box Fq \ \Box \ 4.0 \Box 10^{\Box 4} \ Nm^{\Box 1}.$

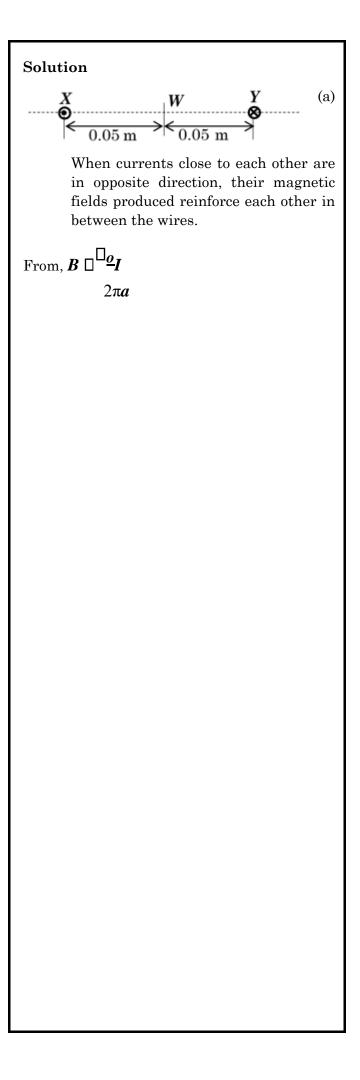
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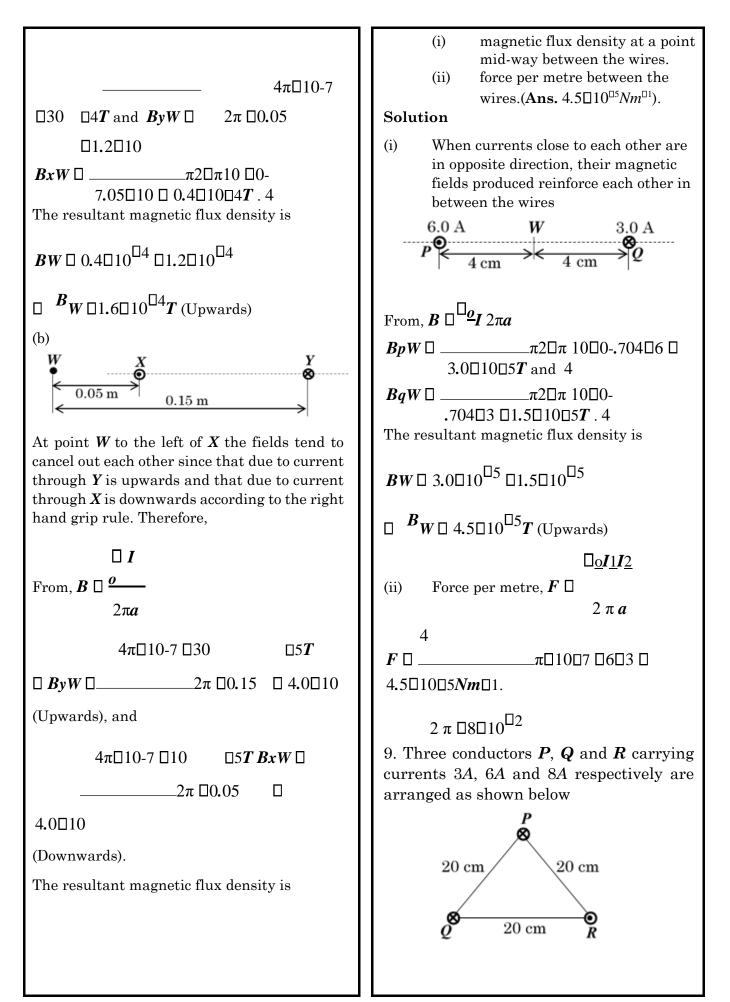
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Solution A_{F_1}
Wires carrying currents in opposite directions repel each other. Thus, the long wire repels side AB down with a force F_2 and side DC repels side AB upwards with a force F_1 . 1.
From, $F \square \square \underline{oI_1I_2}$ 2 πa
$4\pi \Box 10^{\Box 7} \Box 30 \Box 30 \Box 30 \Box 10^{\Box 2}$
$\Box F1 \Box \Box 220 \Box 20 \Box 20 \Box 20 \Box 20 \Box 20 \Box 20 $
2 π 🗆 10 🗆 10
\square F 1 \square 5.4 \square 10 $^{\square 4}N$ and
$4\pi \Box 10^{\Box 7} \Box 15 \Box 30 \Box 30 \Box 10^{\Box 2}$
$F^2 \square$ 2 $\pi \square 7.5 \square 10^{\square 2}$
$\Box F1 \ \Box \ 3.6 \ \Box 10^{\Box 4} N$ The net force on side <i>AB</i> is
$F \square F2 \square F1 \square \square 5.4 \square 3.6 \square \square 10^{\square 4}$
$F \Box 1.8 \Box 10^{\Box 4} N$ (Downwards).
7. Two wires X and Y lie in a horizontal plane, their axes being 0.10 m apart. A current of 10 A flows in X in opposite direction to the current of 30 A in Y . Neglecting the effect of the earth's magnetic field, determine the magnitude and direction of the flux at point W in the plane of the wires;
 (a) mid-way between the wires, (b) 0.05 m from wire X and 0.15 m from Y



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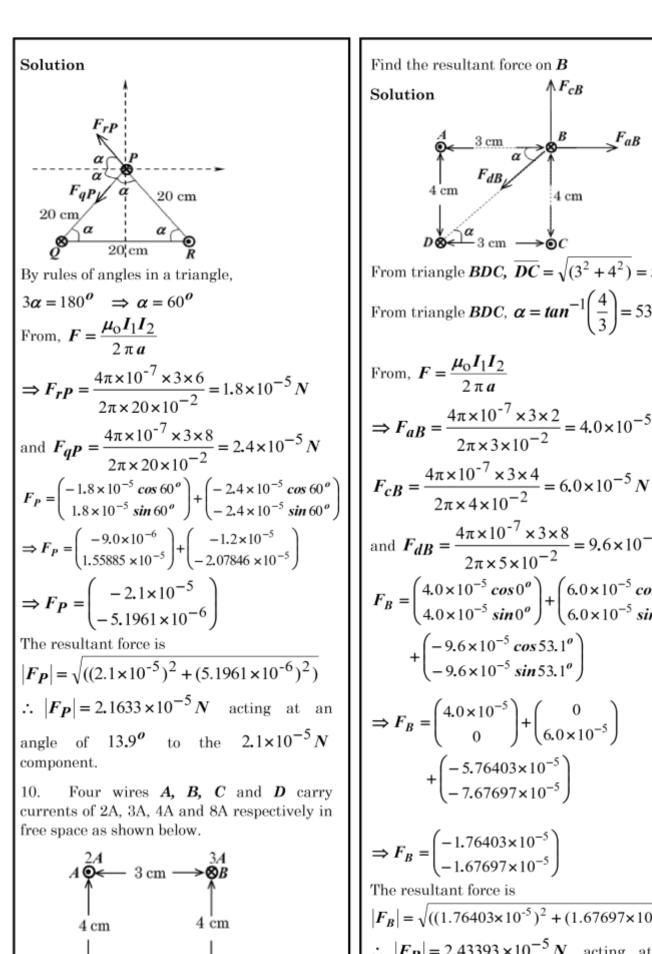


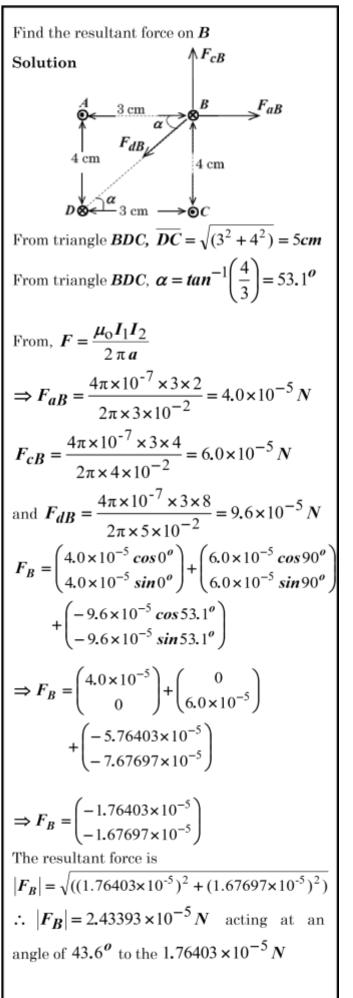
$BW \square 4.0 \square 10^{\square 5} \square 4.0 \square 10^{\square 5} \square$ $BW \square 0T.$ 8. Two long and parallel wires of negligible cross section area carry currents of 6.0 A and 3.0 A in opposite directions as shown below. 6.0 A A = 3 cm = 3.0 AIf the wires are separated by a distance of 8.0 cm, find the

Find the resultant force per meter on conductor \boldsymbol{P} .

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Trial questions

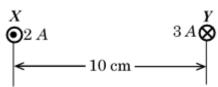
1. Two long parallel wires placed 12 cm apart in air carry currents of 10 A and 15 A respectively in the same direction. Determine the position where the magnetic flux is zero. (*Ans* 0.048 *m from a* 10*A current*)

2. Two long thin parallel wires A and B carry currents of 5A and 2A respectively in opposite direction. If the wires are separated by a distance of 2.5cm in a vacuum. Calculate the force exerted by wire B on 1m of wire A. (*Ans* 8.0 \Box 10^{\Box 5}*Nm*^{\Box 1})

3. Two parallel wires each of length 75 cm are placed 1.0 cm apart. When the same current is passed through the wires, a force of

 $5.0\Box 10^{\Box 5} N$ develops between the wires. Find the magnitude of the current. (*Ans* 1.825742*A*)

4. A long straight conductor X carrying a current of 2A is placed parallel to a short conductor, y of



length 0.05m carrying a current of 3A as shown below

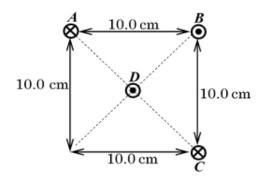
The two conductors are 0.10m apart.

(i) Calculate the flux density due to X on

 $Y(Ans \ 4.0 \Box 10^{\Box 6}T)$

(ii) Determine approximate force on Y if it is 0.05 m long. (Ans $6.0\Box 10^{\Box 6}N$) Calculate the resultant force per metre on wire A. (Ans 5.291502 $\Box 10^{\Box 7} Nm^{\Box 1}$ at an angle of 19.1° to the horizontal)

6. Three long thin and parallel wires A, B and C are fixed at the corners of a square in a vacuum and carrying currents of 4.0 A, 2.0 A and 5.0 A respectively as shown below.

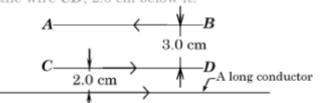


A short wire D of length 0.04 m and carrying a current of 3.0 A is fixed at the centre of the square of side 10 cm. Determine the resultant force on the entire wire D.

(Ans 7.589465 \Box 10 $\overset{\sqcup}{}$ N at an angle of

26.6° to the force on D due to B)

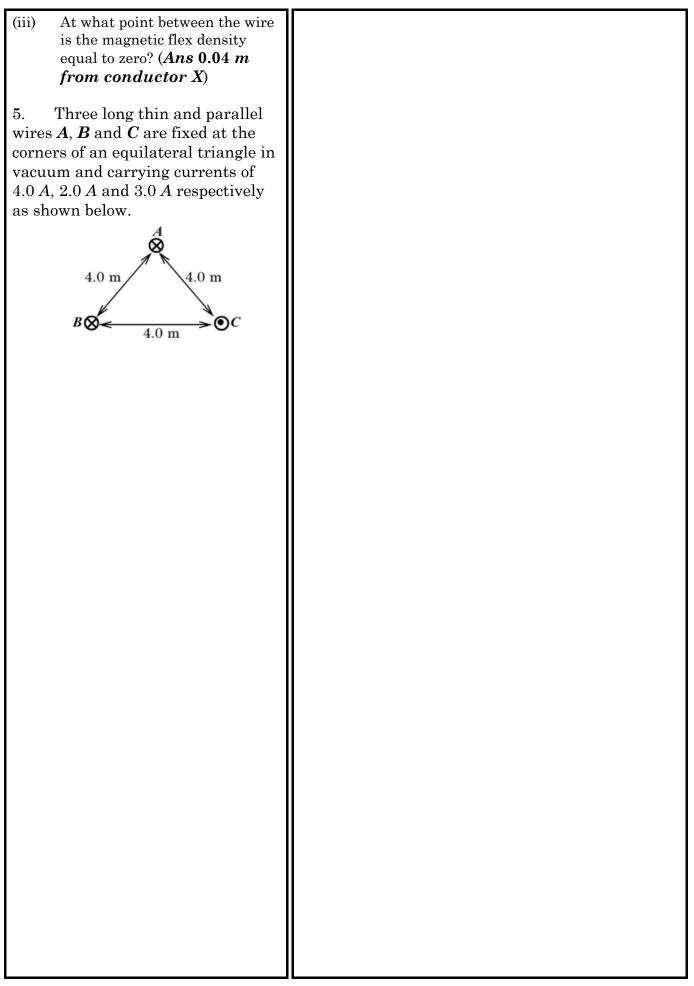
7. The figure below shows two wires AB and CD each carrying a current of 10.0 A in the direction shown. A long conductor carrying a current of 15A is placed parallel to the wire CD, 2.0 cm below it.



(a) Calculate the net force on the long wire.

(b) Sketch the magnetic field pattern between the

long wire and wire *CD* after removing wire *AB*.
Use the field pattern to define a magnetic neutral point.
pattern to define a magnetic neutral point.



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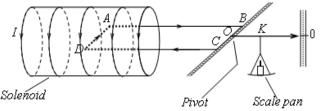
NB:

(i) Since the force between BC and

 $B^{I}C^{I}$ remain repulsive even when current is reversed thus, the **current** or **ampere balance** can be used to measure both D.C and A.C.

 (ii) The current balance can be used to determine the magnitude of magnetic flux density at a point away from the wire carrying currents at the centre of a coil or along the axis of a long solenoid.

Using a solenoid to determine current, I.



When there is no current, the zero screw is adjusted until the conducting frame *ABCD* is balanced horizontally.

The current, I to be determined is then passed through the circuit such that the current through the solenoid is opposite direction to the current through the conducting frame. As a result, AD is repelled downwards.

Rider masses are added to the scale pan until the horizontal balance is restored.

The mass, \boldsymbol{M} of the scale pan is weighed and recorded.

The length, l of wire AD, the distance AB and the distance OK are measured and recorded. The current, I is then calculated from,

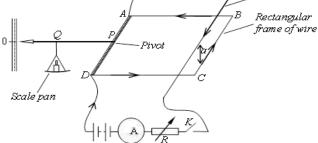
 $\Box OK \Box$, where g is acceleration

☐ due to gravity and n is the number of turns per metre of the solenoid.

Theory of the experiment.

If the rectangular frame of wire ABCD is horizontal when a current I, is flowing through it then,

Current balance (Absolute determination of current)



With no current flowing, the zero screw is adjusted until the conducting frame *ABCD* is horizontal.

The current, I to be measured is then passed through the circuit by closing switch, K such that the current through BC is in opposite direction with that flowing through $B^{I}C^{I}$.

Wire BC is thus repelled downwards. Rider masses are therefore added to the scale pan until the horizontal balance is restored. The mass, Mon the scale pan is weighed and recorded. The distance, a between the wires BC and

 $B^{I}C^{I}$, and the length, l of wire BC are measured and recorded.

The cyrrent, I is then calculated from, $I \square \square \square$

 $Mga_{\Box_7}l^{\Box_{\Box_1}}$, where g is acceleration

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due to gravity.

<u>Theory of the experiment.</u>

If the rectangular frame of wire ABCD is horizontal when a current I, is flowing through it then F_m

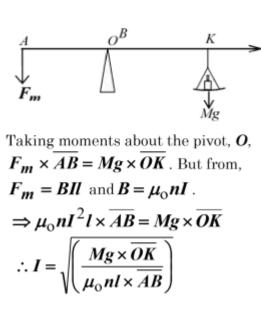
Taking moments about the pivot, P,

 $F_m \Box \overline{AB \Box} Mg \Box \overline{PQ}$. If $AB \Box PQ$ then,

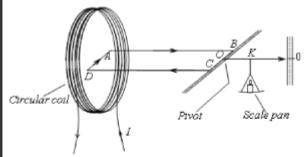
 $F_m \Box Mg$. But from, $F_m \Box BIl$ and also, $B \Box \Box_0 I \Box \Box_0 I 2l \Box Mg$

 $2 \pi a$ $2 \pi a$

 $\Box I^2 \Box 2 \pi Mga \Box 2 \pi Mga$ $\Box ol 4 \pi \Box 10 \Box 7l$



Using a coil to determine current, I.



When there is no current, the zero screw is adjusted until the conducting frame *ABCD* is balanced horizontally.

The current, *I* to be determined is then passed through the circuit such that the current through the solenoid is opposite direction to the current through the conducting frame. As a result, *AD* is repelled

conducting frame. As a result, **AD** is repelled downwards.

Rider masses are added to the scale pan until the horizontal balance is restored.

The mass, **M** of the scale pan is weighed and recorded.

The length, l of wire AD, the distance AB and the distance OK are measured and recorded. The mean radius, R of the coil is measured and recorded. The number, N of turns of the coil is also noted.

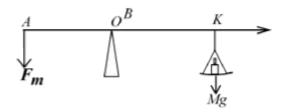
The current, \boldsymbol{I} is then calculated from,

$$I = \sqrt{\left(\frac{2RMg \times \overline{OK}}{\mu_0 N l \times \overline{AB}}\right)}, \text{ where } g \text{ is }$$

acceleration due to gravity.

Theory of the experiment.

If the rectangular frame of wire *ABCD* is horizontal when a current *I*, is flowing through it then,



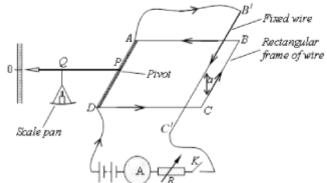
Taking moments about the pivot, O, $F_m \times \overline{AB} = Mg \times \overline{OK}$. But from,

$$F_{m} = BIl \text{ and } B = \frac{\mu_{0}NI}{2R}.$$

$$\Rightarrow \frac{\mu_{0}NI^{2}l \times \overline{AB}}{2R} = Mg \times \overline{OK}$$

$$\therefore I = \sqrt{\left(\frac{2RMg \times \overline{OK}}{\mu_{0}N l \times \overline{AB}}\right)}.$$

<u>An experiment to determine magnetic</u> <u>flux density at a point away from a wire</u> <u>carrying current.</u>



With no current flowing, the zero screw is adjusted until the conducting frame *ABCD* is horizontal.

The current, I to be measured is then passed through the circuit by closing switch, K such that the current through BC is in opposite

direction with that flowing through $B^{I}C^{I}$. Wire BC is thus repelled downwards. Rider masses are therefore added to the scale pan until the horizontal balance is restored. The mass, M on the scale pan is weighed and recorded.

The current, I through the circuit is read and recorded.

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The length, *l* of wire *BC* are measured and recorded.

If the rectangular frame of wire *ABCD* is horizontal when a current *I*, is flowing

Taking moments about the pivot, P,

 $Fm \stackrel{Mg}{\Box} Mg$. But from, $Fm \Box BII$.

 $\Box BIl \Box Mg \Box B \Box$

flux density, B.

 $Fm + AB \square Mg \square PQ$. If $AB \square PQ$ then,

Mg

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Using a solenoid to determine magnetic

When there is no current, the zero screw is

A known current, I, is then passed through

the circuit such that the current through the

solenoid is opposite direction to the current

through the conducting frame. As a result,

added to the scale pan until the horizontal

AD is repelled downwards. Rider masses are

balanced horizontally.

adjusted until the conducting frame ABCD is

The magnetic flux density, B is then Mg calculated

from, $B \square$, where g is Il

acceleration due to gravity.

through it then,

Theory of the experiment.

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balance is restored. The mass, M of the scale pan is weighed and recorded. The length, l of wire AD, the distance AB and the distance OK are measured and recorded. The magnetic flux density, B is then

$Mg \square OK$

calculated from, $B \square$. $I l \square AB$

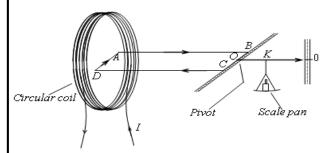
<u>Theory of the experiment</u>

If the rectangular frame of wire *ABCD* is horizontal when a current *I*, is flowing through it then,

 $\begin{array}{c} A & O^B & K \\ \hline \\ Taking moments about the pivot, O, \end{array}$ $Fm \square AB \square Mg \square OK$. But from, Fm $\Box BIl$.

 $\Box BII \Box Mg \quad \Box B \Box Mg \overset{\Box OK}{\longrightarrow} I$ $-l \Box AB$

Using a coil to determine current, I.



When there is no current, the zero screw is adjusted until the conducting frame *ABCD* is balanced horizontally. The current, *I* to be determined is then passed through the circuit such that the current through the solenoid is opposite direction to the current through the conducting frame. As a result, *AD* is repelled downwards. Rider masses are added to the scale pan until the horizontal balance is restored.

DOWNLOAD MORE RESDURCES LIKE THIS ON ECOLEBOOKS.COM The mass, M of the scale pan is weighed and recorded.

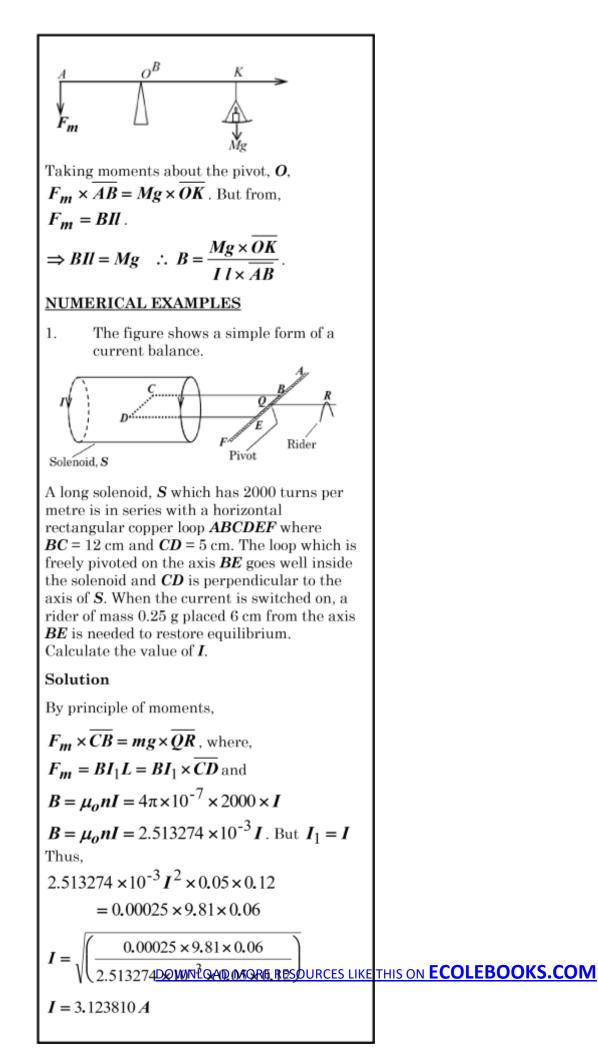
The length, l of wire AD, the distance AB and the distance OK are measured and recorded. The magnetic flux density, B is then

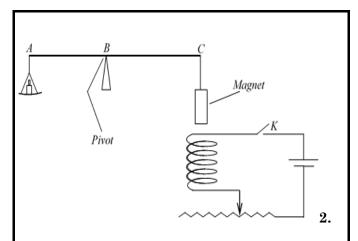
$Mg \square OK$

calculated from, $B \square$, where g is $I l \square AB$ -91acceleration due to gravity.

Theory of the experiment.

If the rectangular frame of wire *ABCD* is horizontal when a current *I*, is flowing through it then,





The figure above represents a current balance. When switch K is open, the force required to balance is 0.2 N. When switch K is closed and the current of 0.5 A flows, a force of 0.22 N is required for balance. Determine the

- (i) polarity at the end of the magnet closest to the coil.
- (ii) weight required for balance when a current of 2 A flows through the coil.

Solution

- (i) When the switch is closed, current flows through the solenoid and by the *right hand grip rule*, the thumb points upwards and so, the end of the coil close to the magnet is a *north pole*. Masses are added to the pan to restore horizontal balance if the magnet is pulled downwards (attracted). Therefore, the end of the magnet near the coil is a south pole for attraction between the coil and the magnet to occur.
- (ii) For 0.5*A*, the magnetic force due to the coil is $F_m \square F_r \square W_m$, where F_r is

the force required for balance and *Wm* is weight of the magnet.

 $Fm \square 0.22 \square 0.2 \square 0.02N$

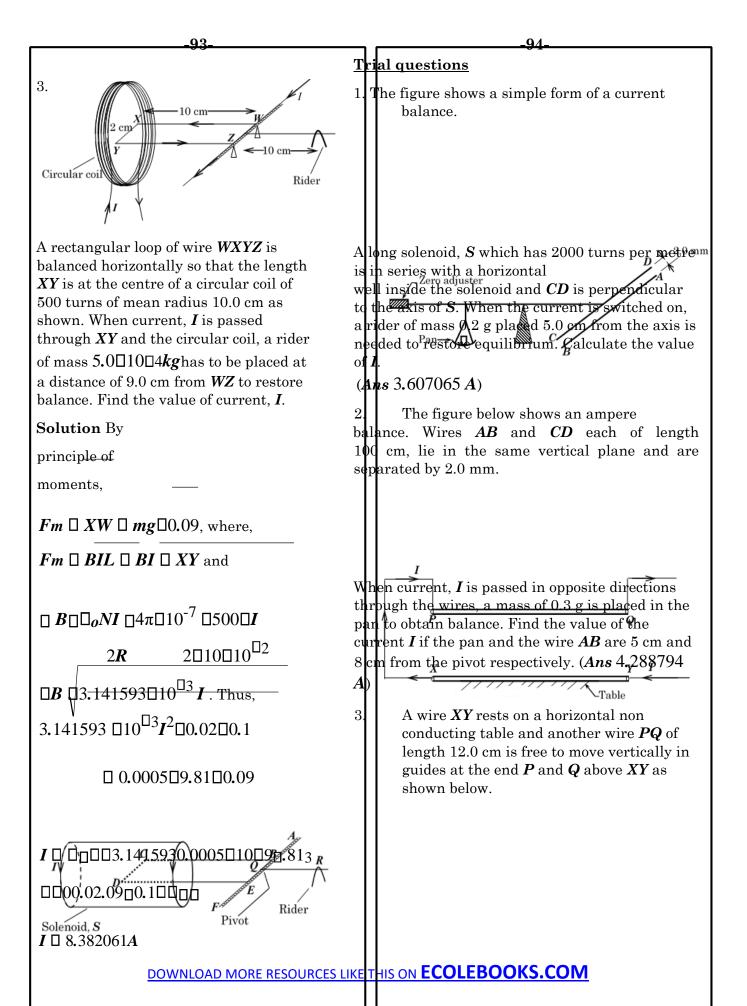
But, *Fm* 🛛 *I*2 🗆 *Fm* 🗆 *kI*2

 $\begin{array}{c} \mathbf{F} \\ \square \mathbf{k} \square \underline{\mathbf{m}} \square \dots 0.02 \quad \square \mathbf{k} \square 0.08 \mathbf{N} \mathbf{A} \square 2 \mathbf{I}^2 \\ 0.5 \end{array}$

For 2A, the magnetic force is

Fm \square 0.08 $\square 2^2 \square$ 0.32*N* Therefore, force required is

 $Fr \square 0.22 \square 0.32 \square 0.54N$.



The mass per unit length of $PQ \ 3mg$ $cm^{\Box 1}$.

A current of 3.6A through the wires was enough to maintain the PQ at the distance $d \ cm$ from XY.

- (i) Calculate the distance of separation, *d*
- (ii) Find the magnetic flux density due to *PQ* on *XY*.

4. Two thin horizontal rods, *XY* and *PQ* each 1.0 *m* in length carrying currents of equal magnitudes and are connected so that *PQ* is located 0.5 *cm* above *XY*. The lower rod is fixed while the upper rod is kept in equilibrium by magnetic repulsion. The mass

 $\Box 2$

rectangular copper loop *ABCDEF* where of each rod is $1.0\Box 10$ kg. Determine the *BC* = 10.0 cm and *CD* = 3.0 cm. The loop value of current in each rod. which is freely pivoted on the axis *AF* goes